

# Toys, Entertainment robots, Videos Games: Challenges in Design and Control

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(1) Toys that walk/run

# Walking robot: Honda Asimo



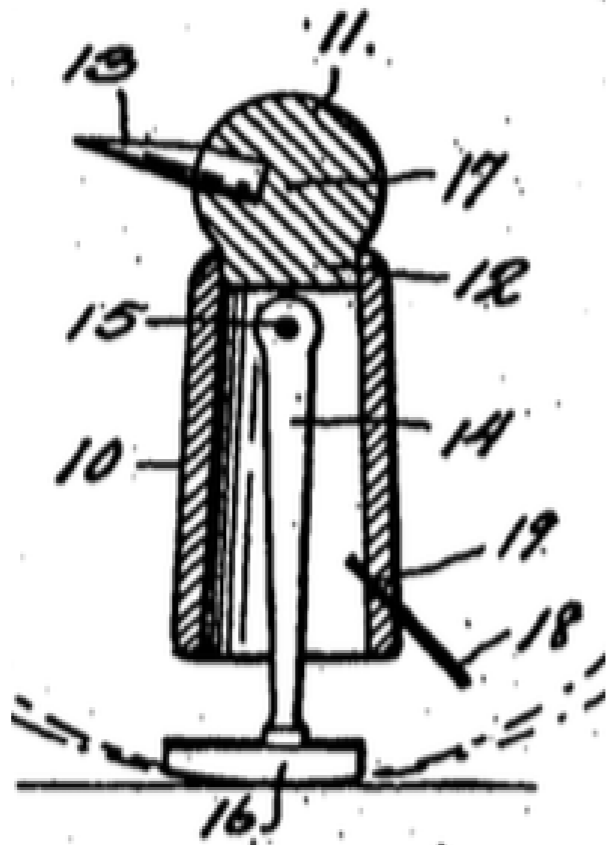
# Wilson Walker



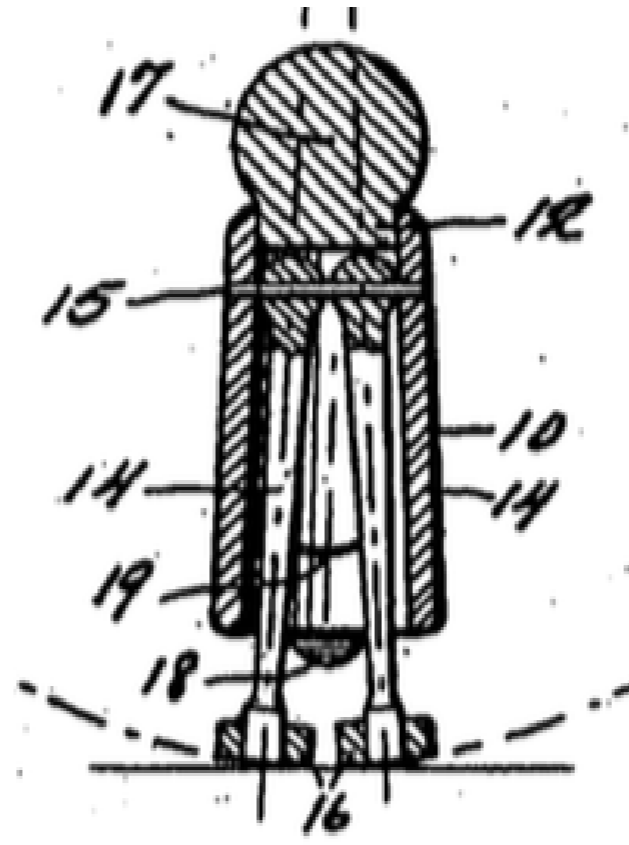


# Wilson walker

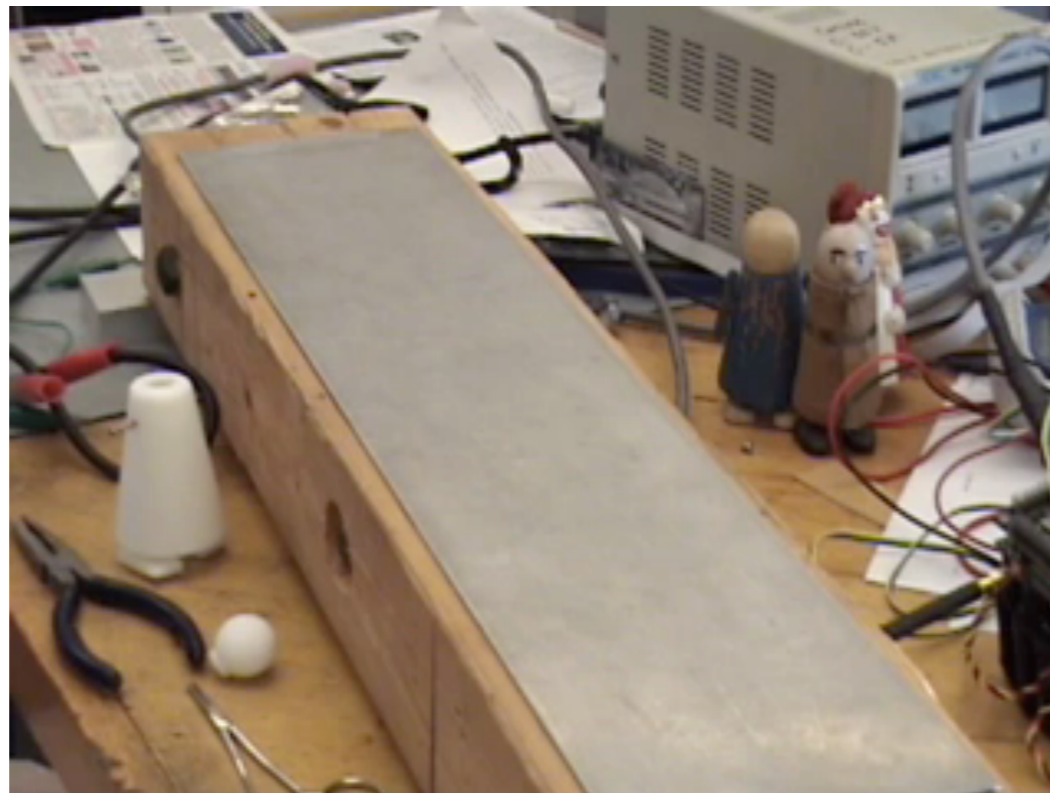
(A)



(B)

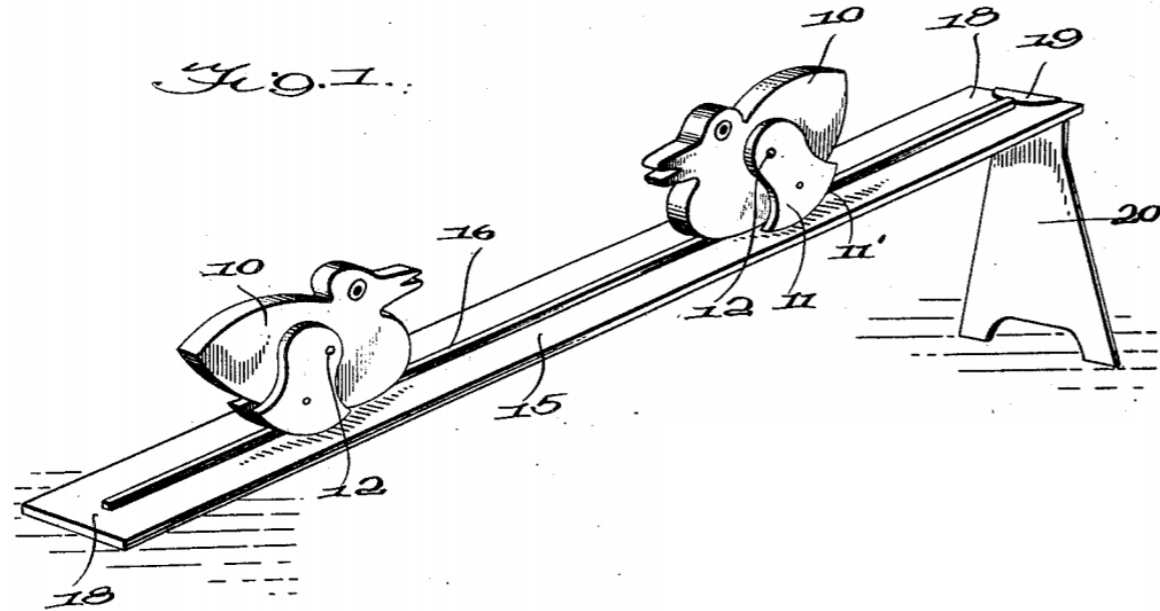


(C)

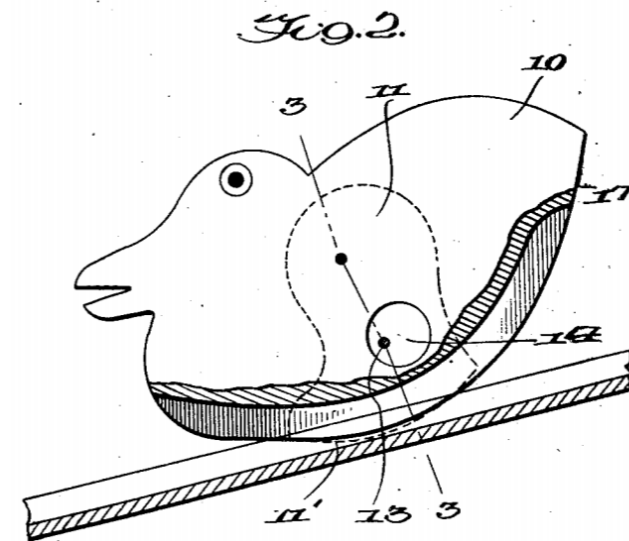


# Ravert patent

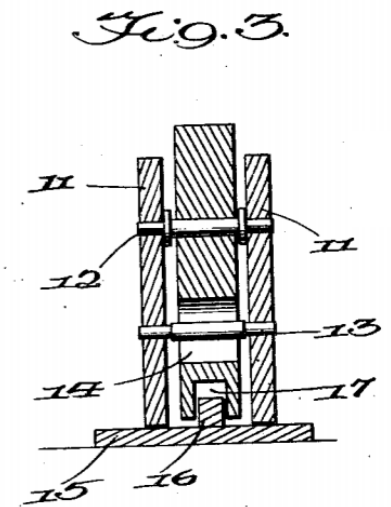
(A)



(B)



(C)



# UTSA mascot, Rowdy



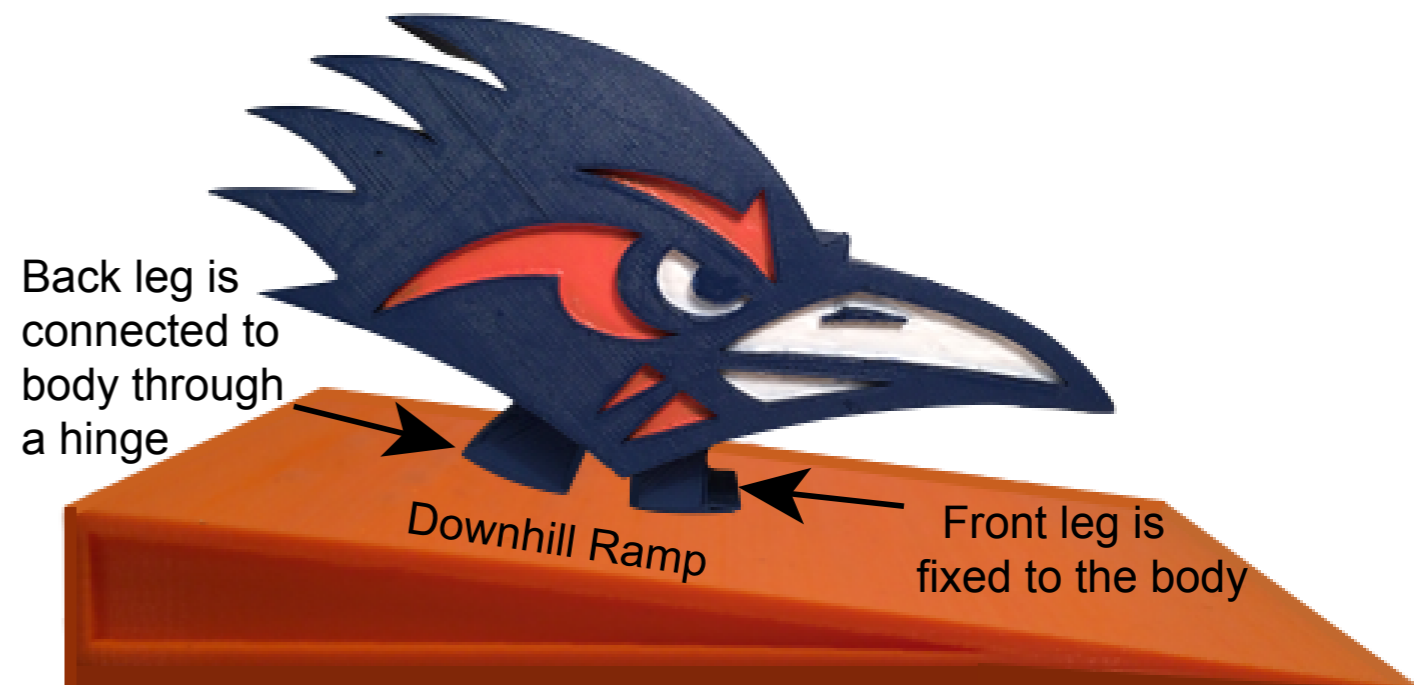
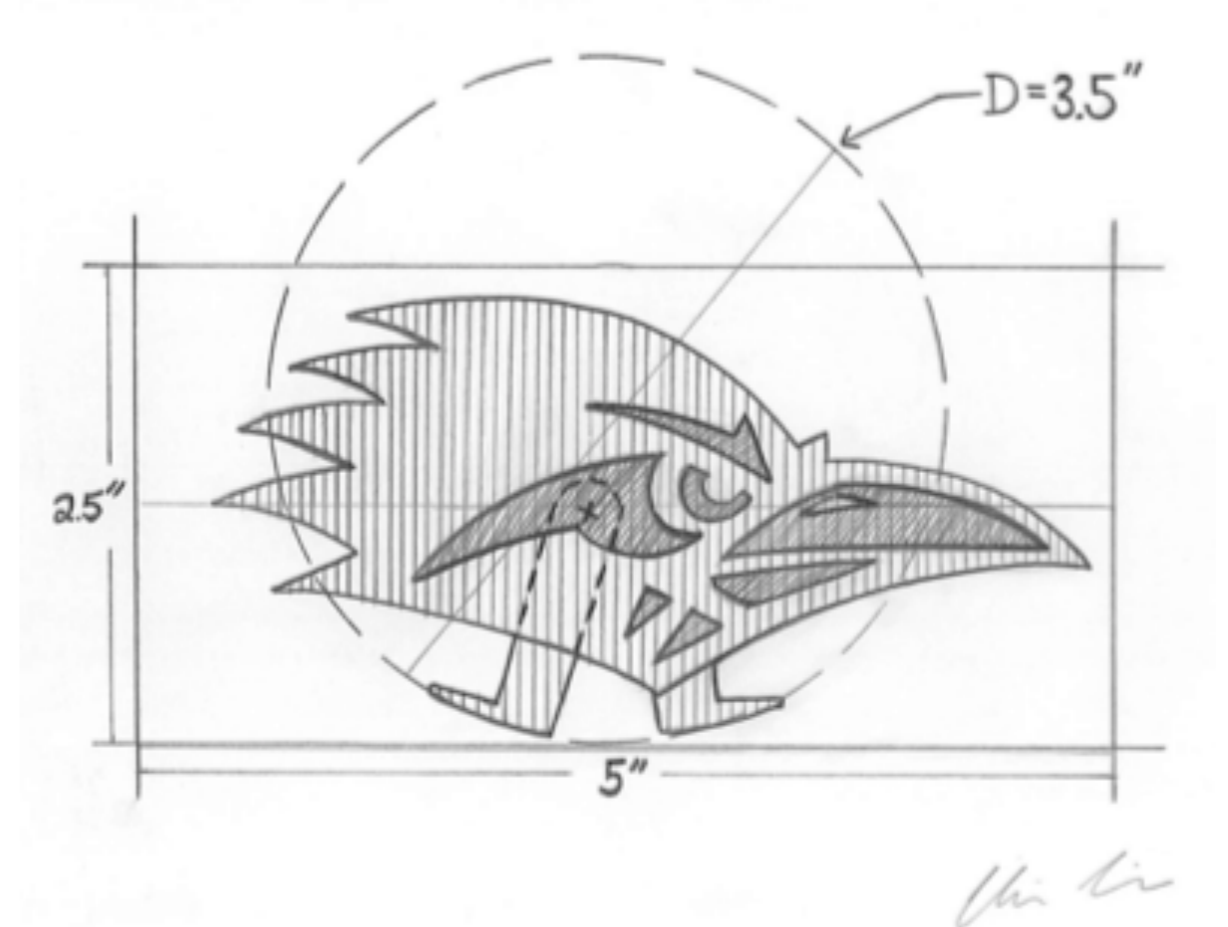
# Rowdy Walker



Rowdy-Walker: A 3D Printed  
Downhill Walking Toy  
By: Christian Treviño

# Methods & Challenges

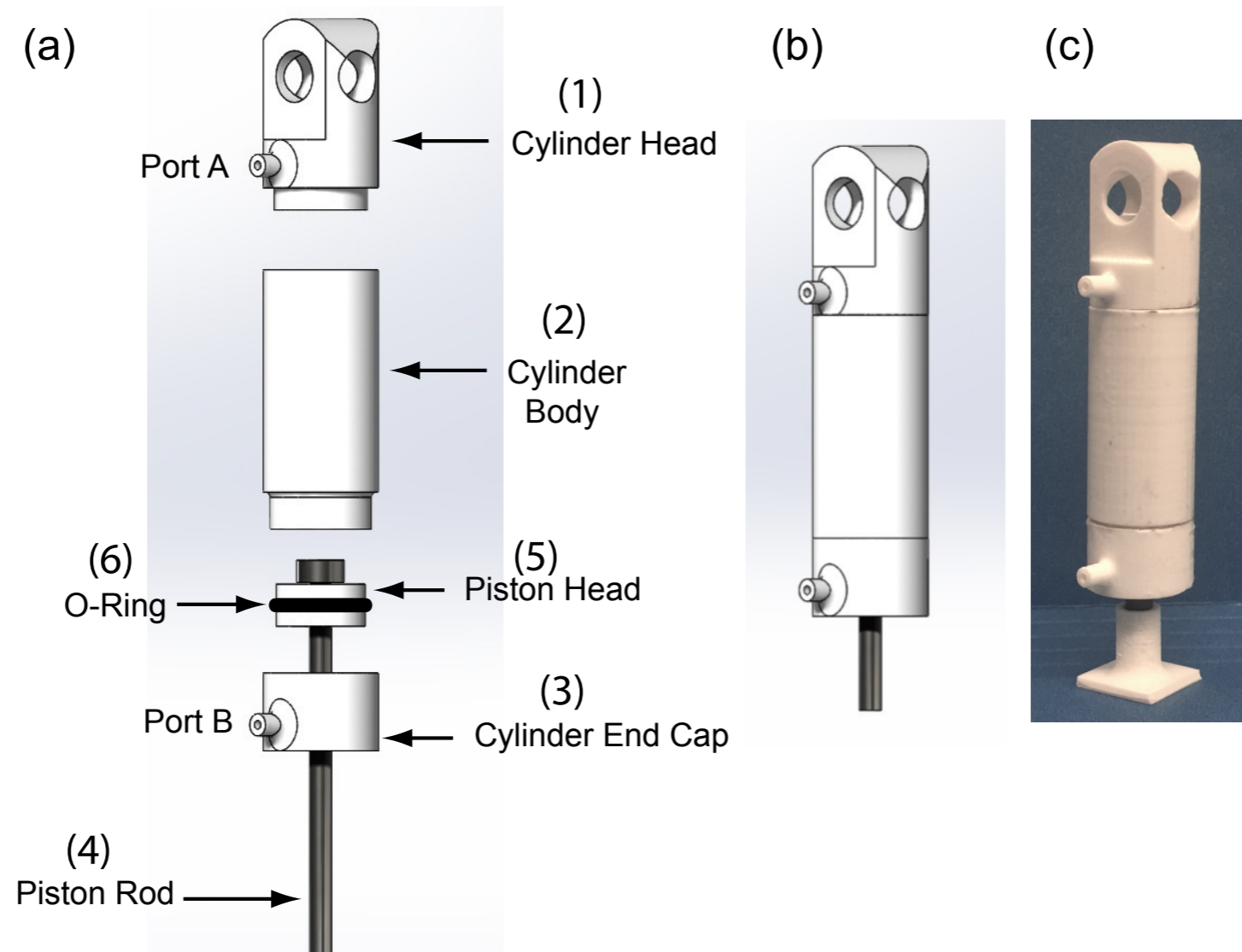
- Leg Design
- Mass Distribution
- Integrated Hinge
- Support Material
- Commercialization?
  - Time
  - Cost



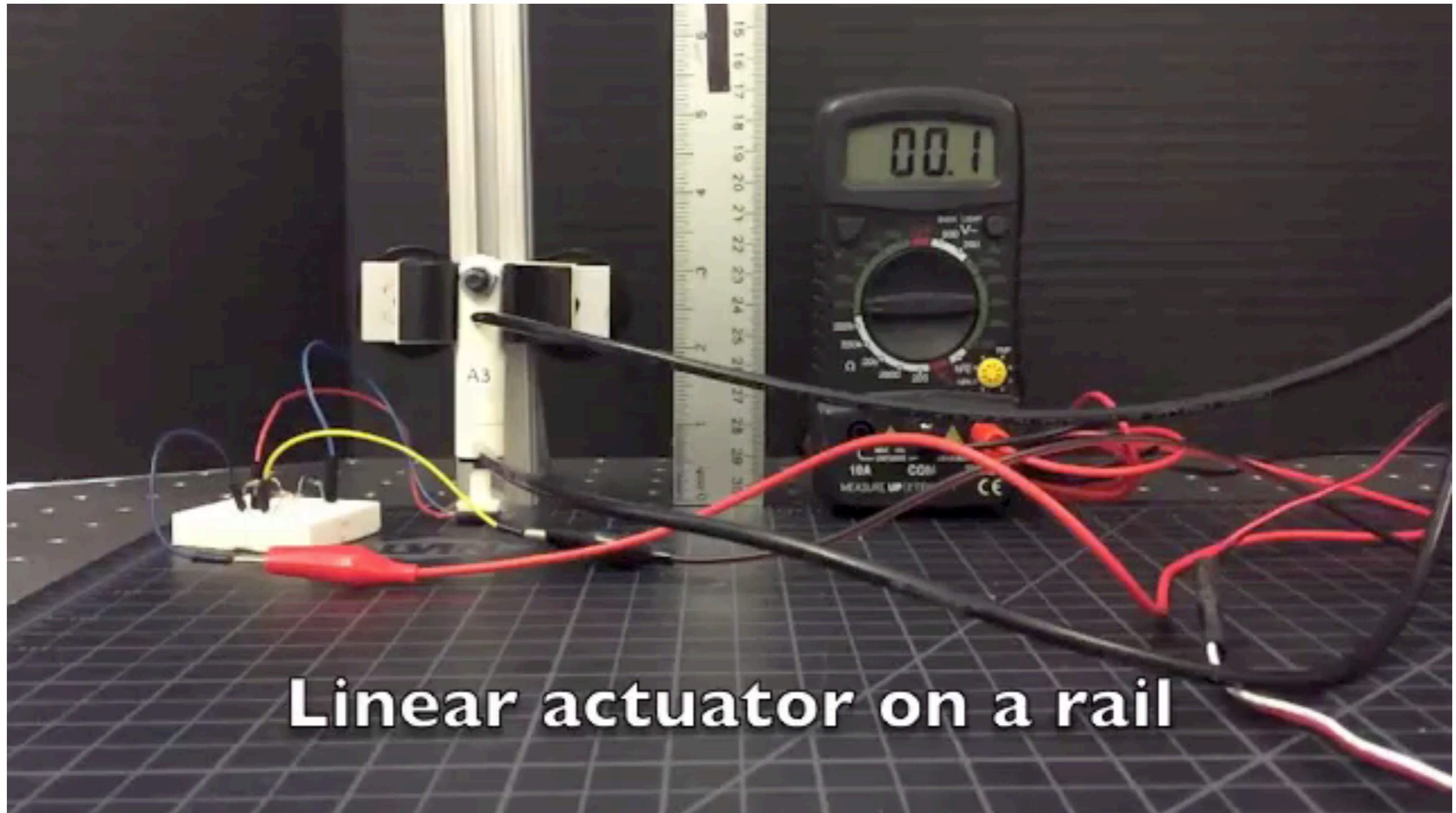




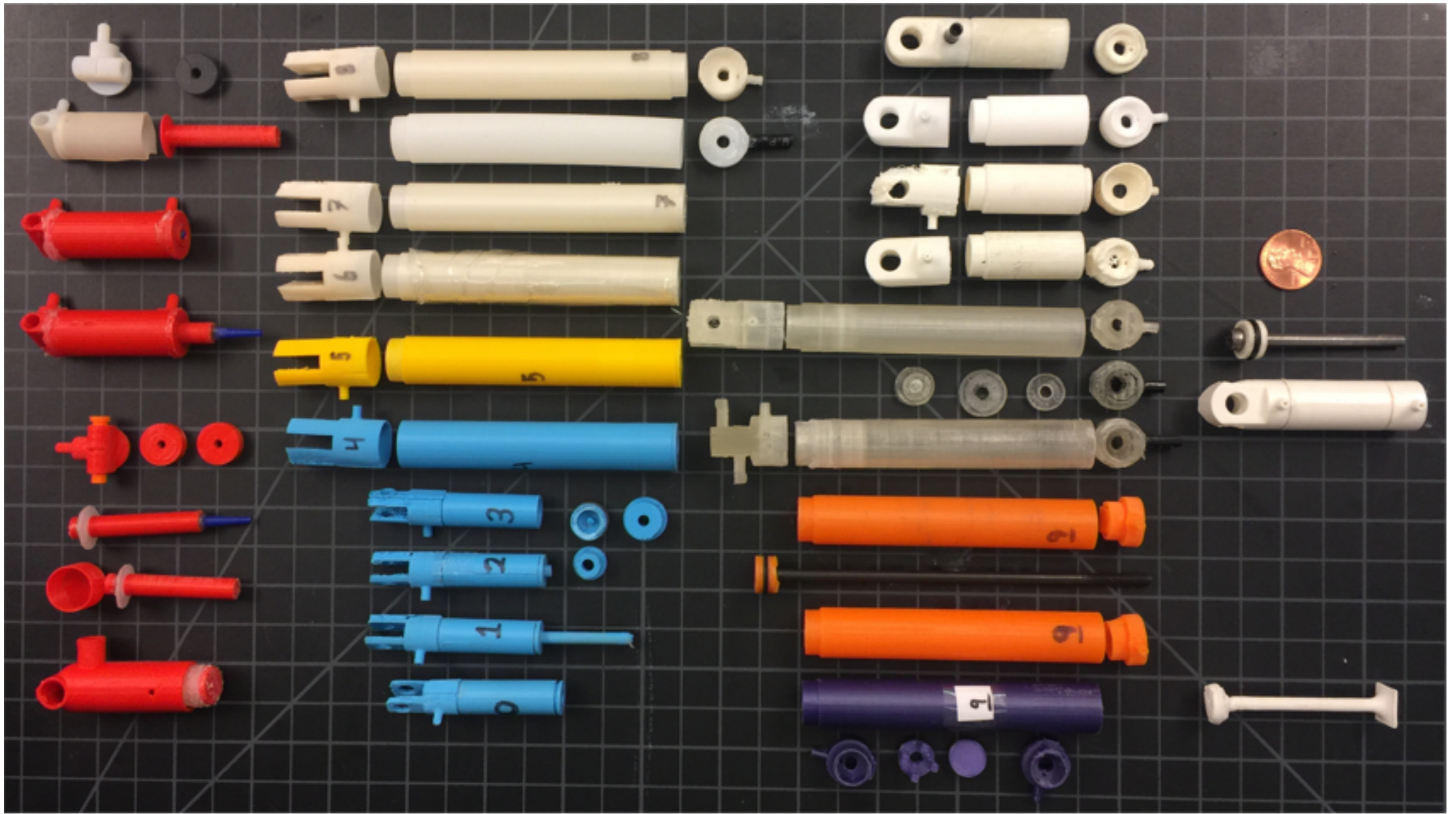
# 3D printed, linear, ON-OFF, pneumatic actuator



# Actuator working



**Linear actuator on a rail**



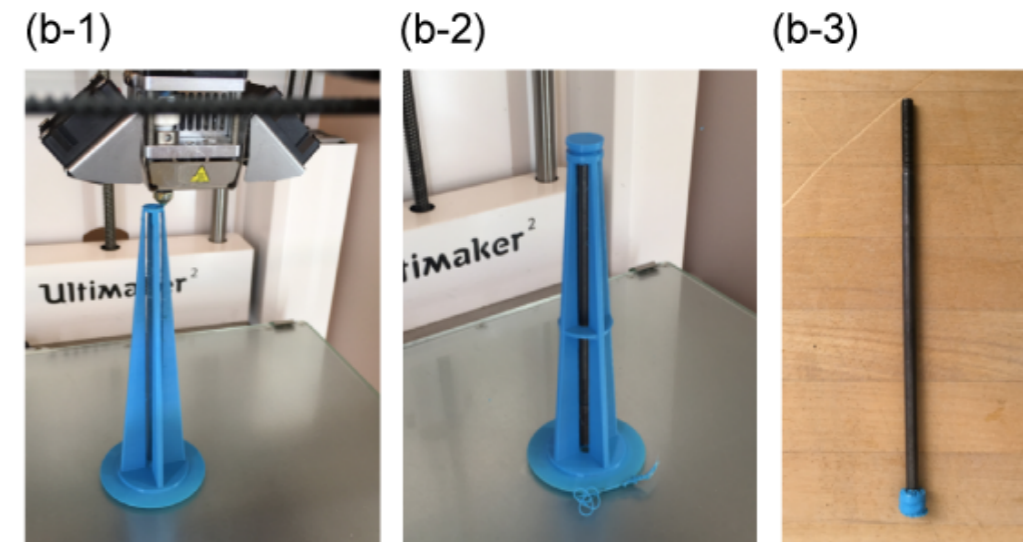
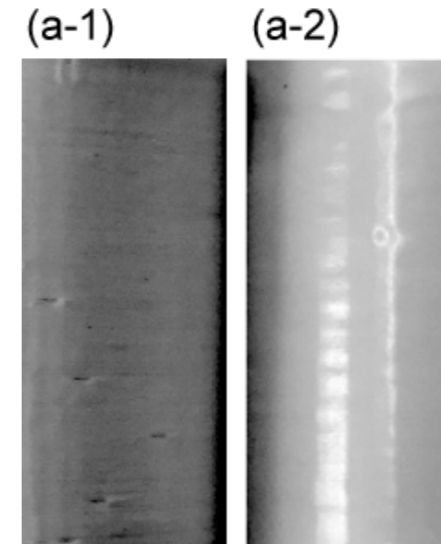
# Methods & Challenges

(a) Pores (Acetone)

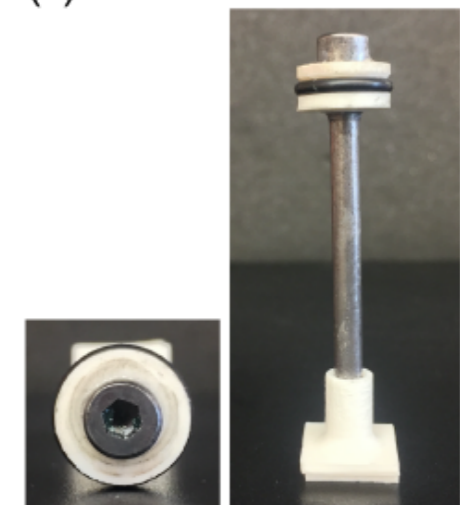
(b) Strength (Embedding)

(c) Piston - Cylinder interface

- Viton O-rings
- Waterproof grease



(c)



# Disney's Luxo Jr. Lamp

**Disney's Luxo Jr. Lamp**

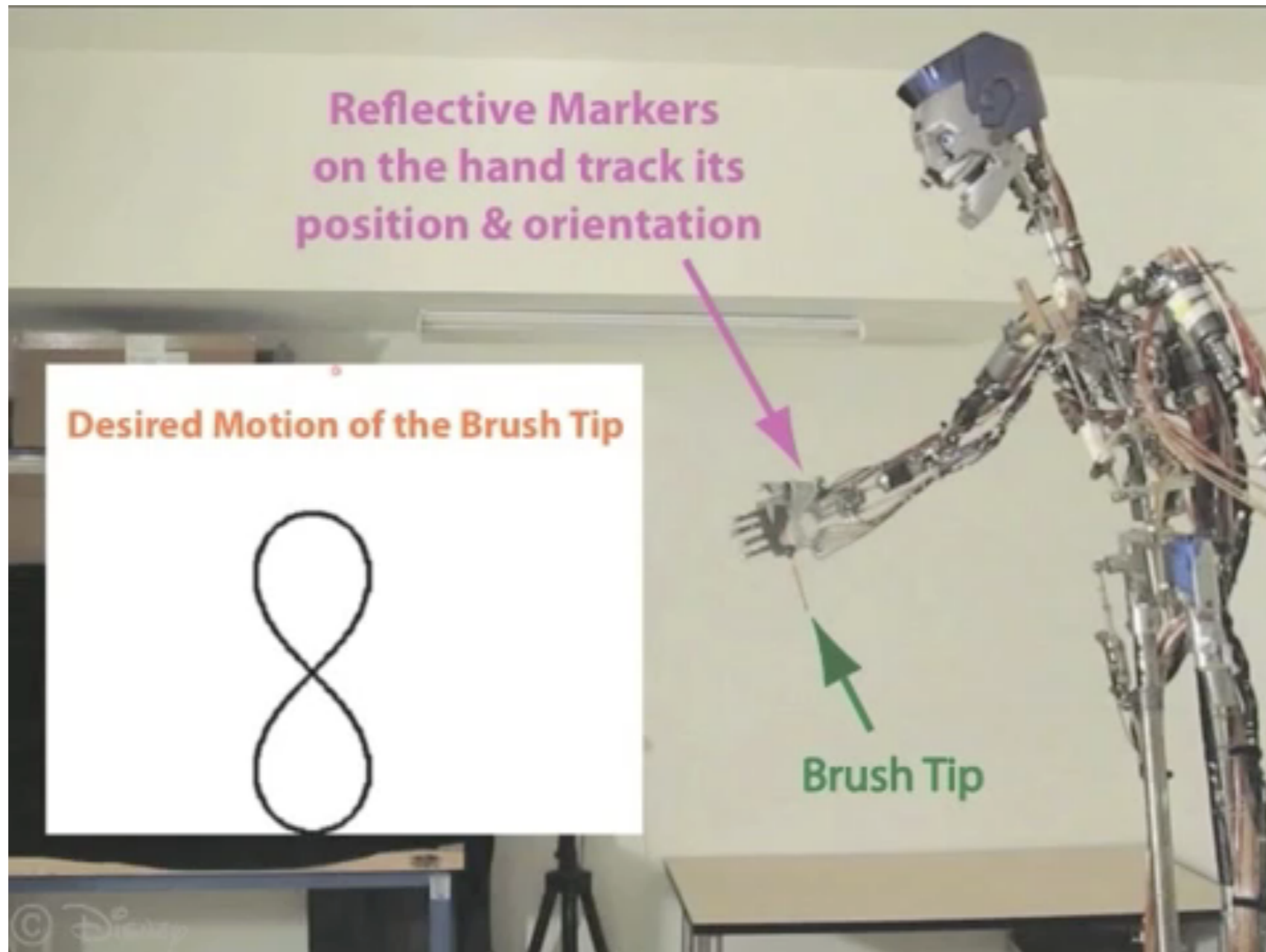
## (2) Entertainment Robots

# Disney animatronics



- Manually tuned
- Time consuming

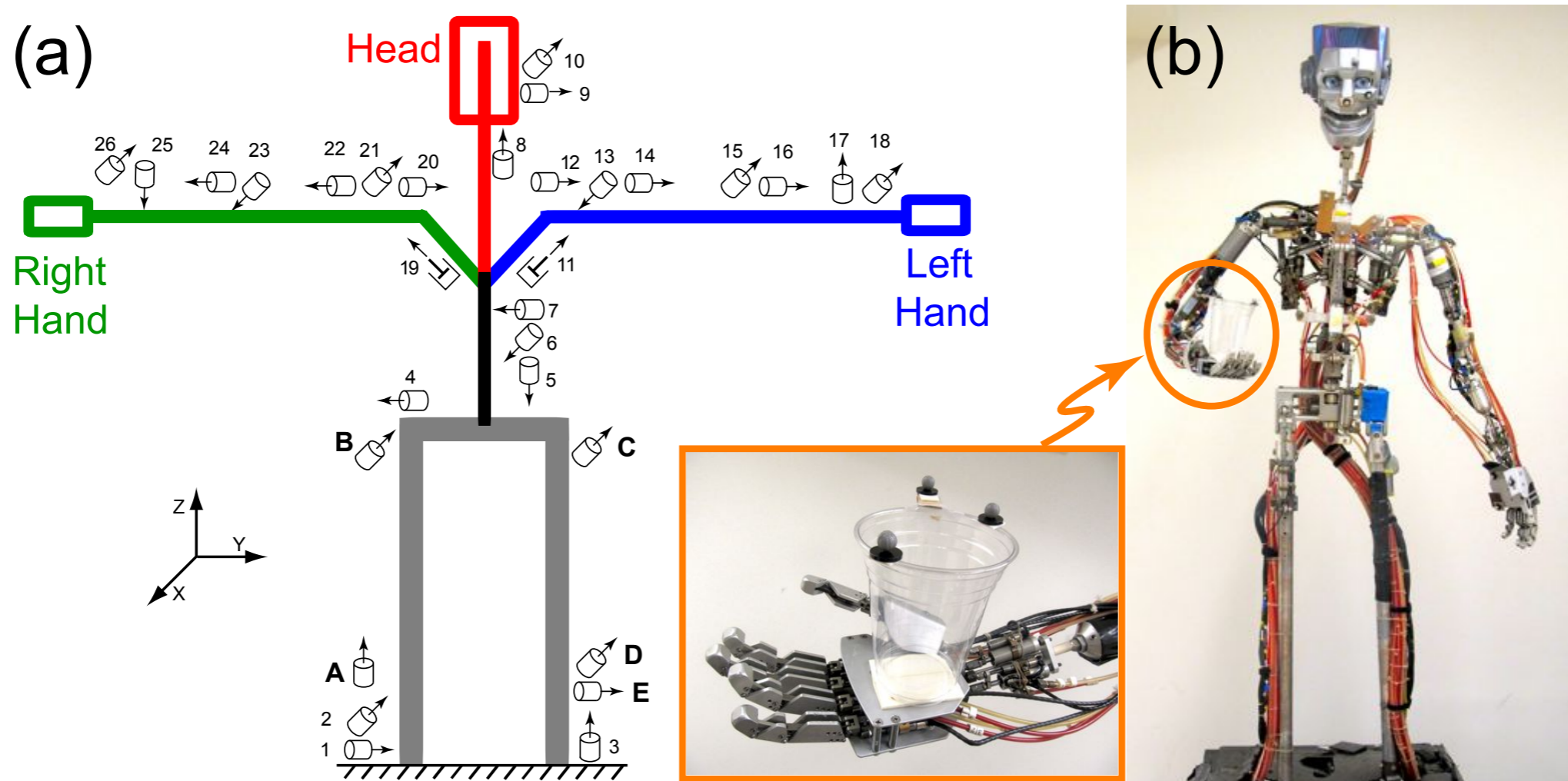
# Inverse kinematics



- Bhounsule & Yamane, Humanoids 2015



# Issues with Kinematics model

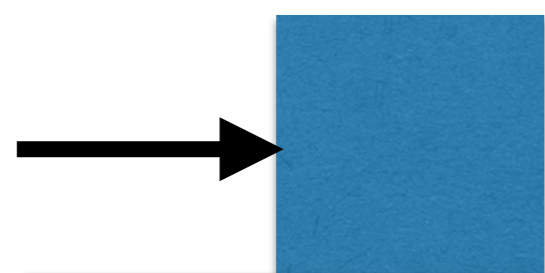


- Flexible joints  $\longrightarrow$  Rigid body models are invalid
- Low bandwidth control  $\longrightarrow$  poor servo operation
- High degrees of freedom  $\longrightarrow$  Error magnification
- Wear and Tear  $\longrightarrow$  Part/link replacement

# Iterative Learning Control (ILC): 1-D example

Problem: Move block to the target by applying an instantaneous force

Instantaneous  
force,  $F$



Ramp has friction but  
incorrectly modeled

Target

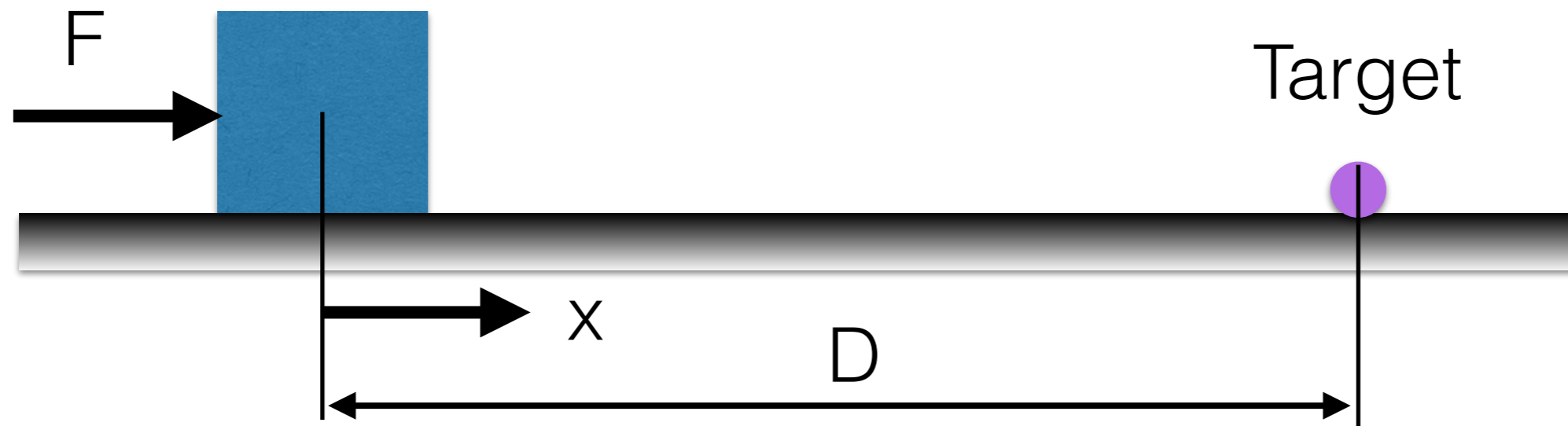


# Iterative Learning Control (ILC): 1-D example

Model:

$$x = f(F, \mu)$$

↑  
Imprecise



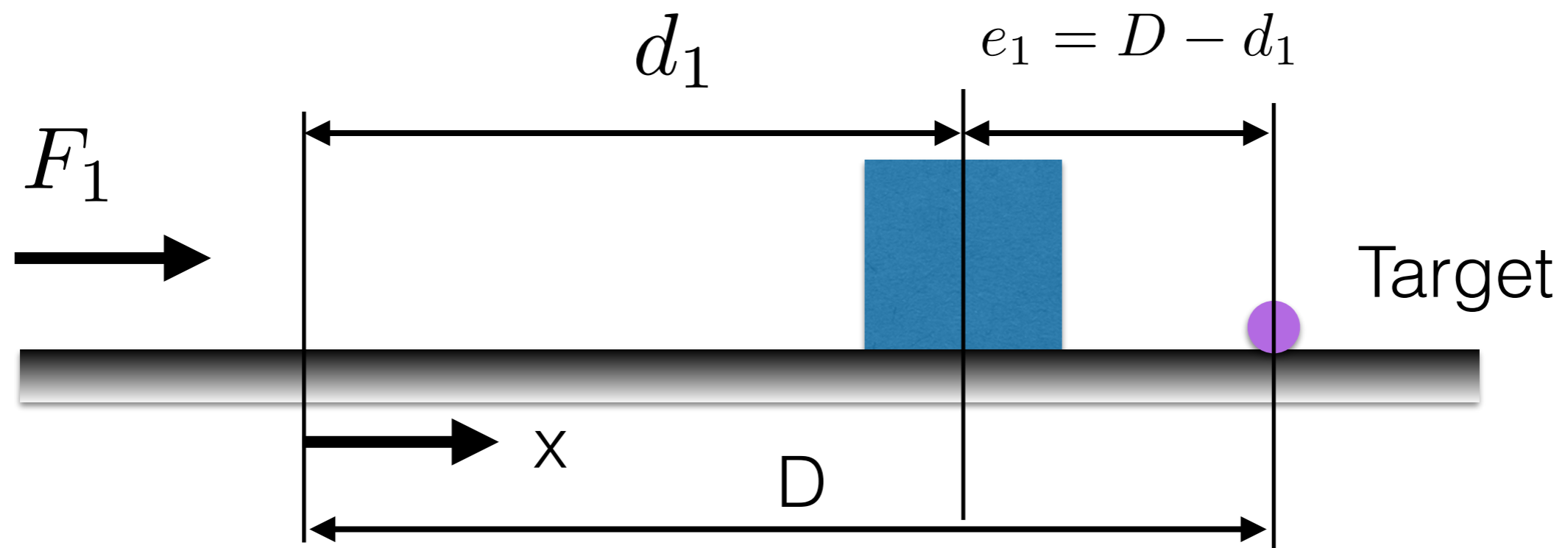
Inverse:

$$F = f^{-1}(x, \mu)$$

↑  
Imprecise

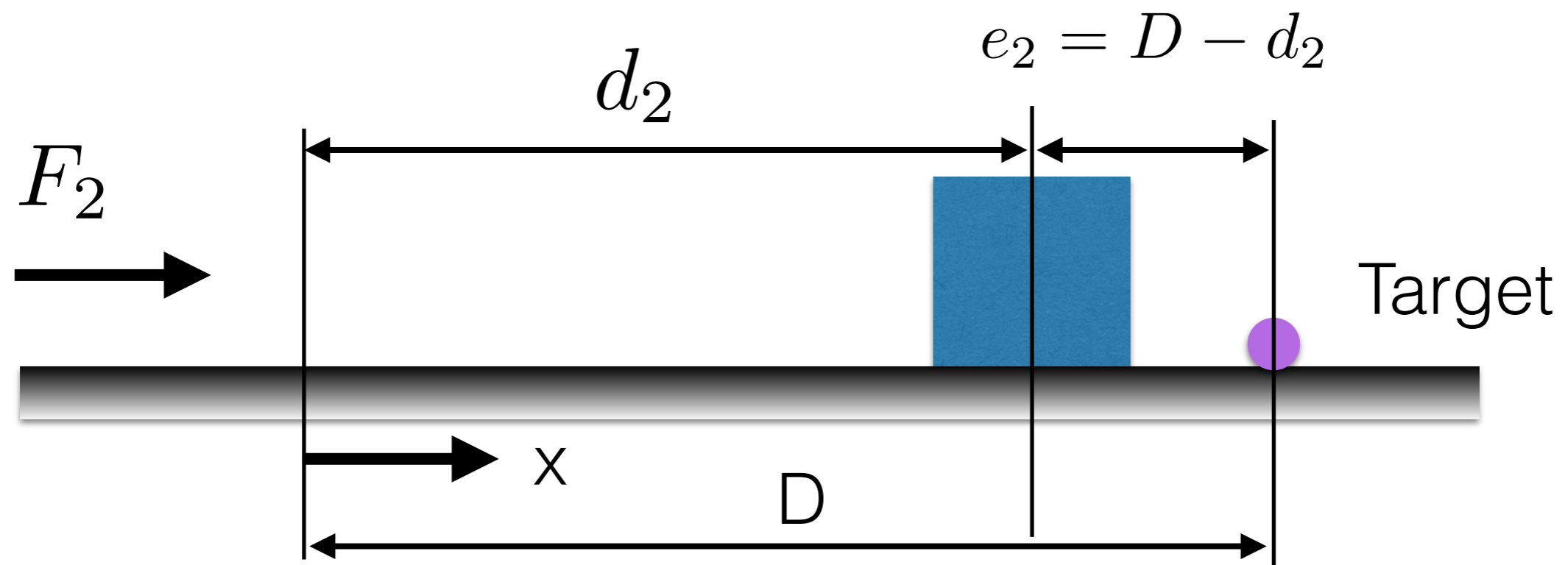
# 1-D example (trial 1)

Control (trial 1):  $F_1 = f^{-1}(x, \mu)$



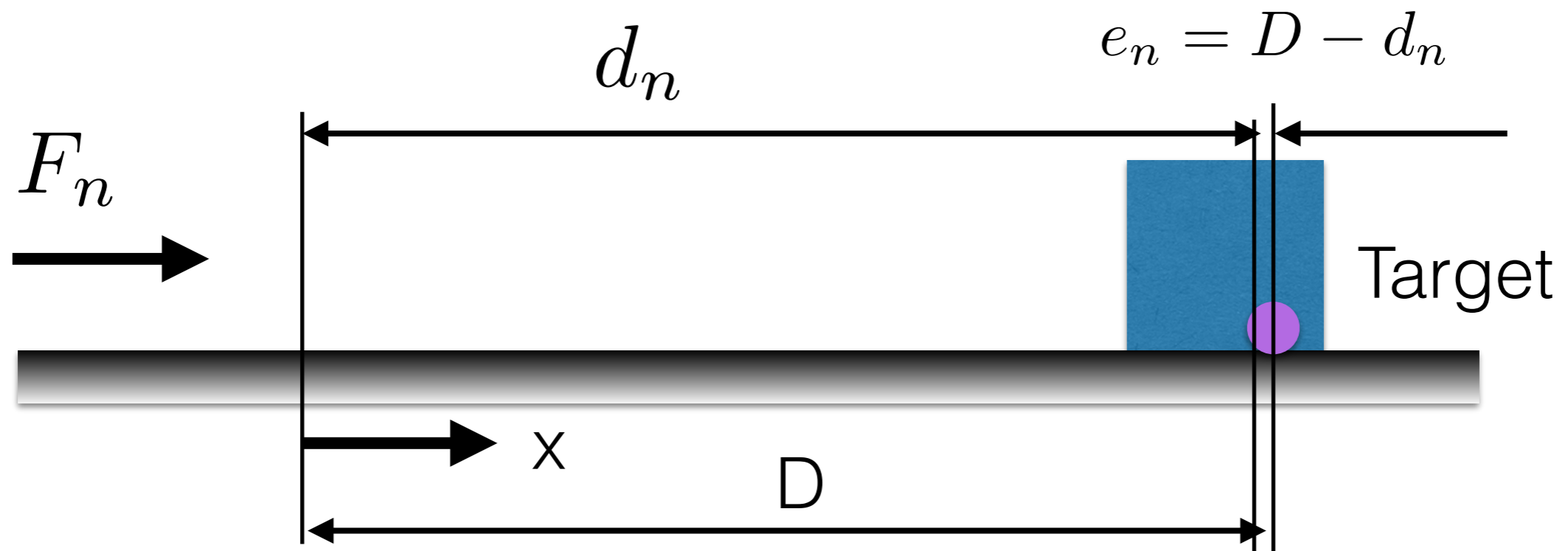
# 1-D example (trial 2)

Control (trial 2):  $F_2 = F_1 + \lambda e_1$



# 1-D example (trial 2)

Converged when  $e_n$  is small



# Our approach: Non-linear Inverse Kinematics (IK) update

$$\mathbf{Y}_{\text{des}}^{i+1} = \mathbf{Y}_{\text{des}}^i + \gamma(\mathbf{Y}_{\text{ref}} - \mathbf{Y}^i),$$
$$\boldsymbol{\theta}^{i+1} = \hat{\mathbf{F}}^{-1}(\mathbf{Y}_{\text{des}}^{i+1}),$$

where:

$\theta^i$  Angle command trial  $i$

$Y_i$  End-effector position trial  $i$

$Y_{\text{ref}}$  End-effector reference

$Y_{\text{des}}^i$  Desired end-effector for IK

$\hat{F}$  Estimated Forward Kinematics Model

$\gamma$  Learning gain

# Our approach: Non-linear Inverse Kinematics (IK) update

$$\mathbf{Y}_{\text{des}}^{i+1} = \mathbf{Y}_{\text{des}}^i + \gamma(\mathbf{Y}_{\text{ref}} - \mathbf{Y}^i),$$

$$\theta^{i+1} = \hat{\mathbf{F}}^{-1}(\mathbf{Y}_{\text{des}}^{i+1}),$$

**Find non-linear IK  
within joint limits**





# Inverse Kinematics computation

$$\theta^{i+1} = \hat{\mathbf{F}}^{-1}(\mathbf{Y}_{\text{des}}^{i+1}),$$

Use nonlinear constraint optimization for IK

$$g(\theta) = \sum_{i=1}^{n_{\text{dof}}} (\theta_i - \theta_i^{\text{rest}})^2,$$

**Cost: Bias toward a pose**

$$h_1(\theta) = x_{\text{des}} - x_{\text{ref}} = 0,$$

$$h_2(\theta) = y_{\text{des}} - y_{\text{ref}} = 0,$$

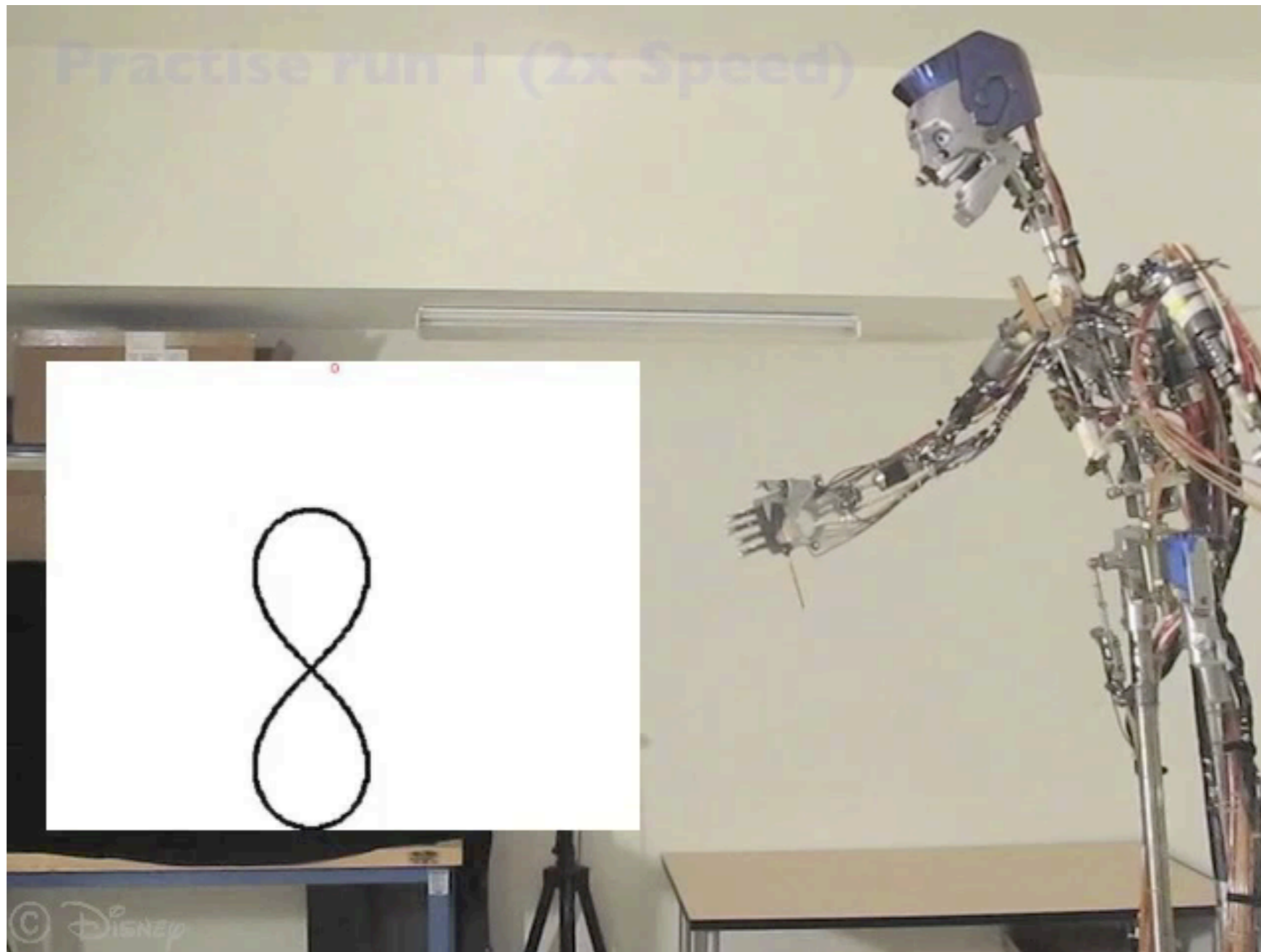
**End-effector constraint:  
Satisfy estimated  
end-effector position**

$$h_3(\theta) = \theta - \theta_{\text{min}} \geq 0,$$

$$h_4(\theta) = \theta - \theta_{\text{max}} \leq 0.$$

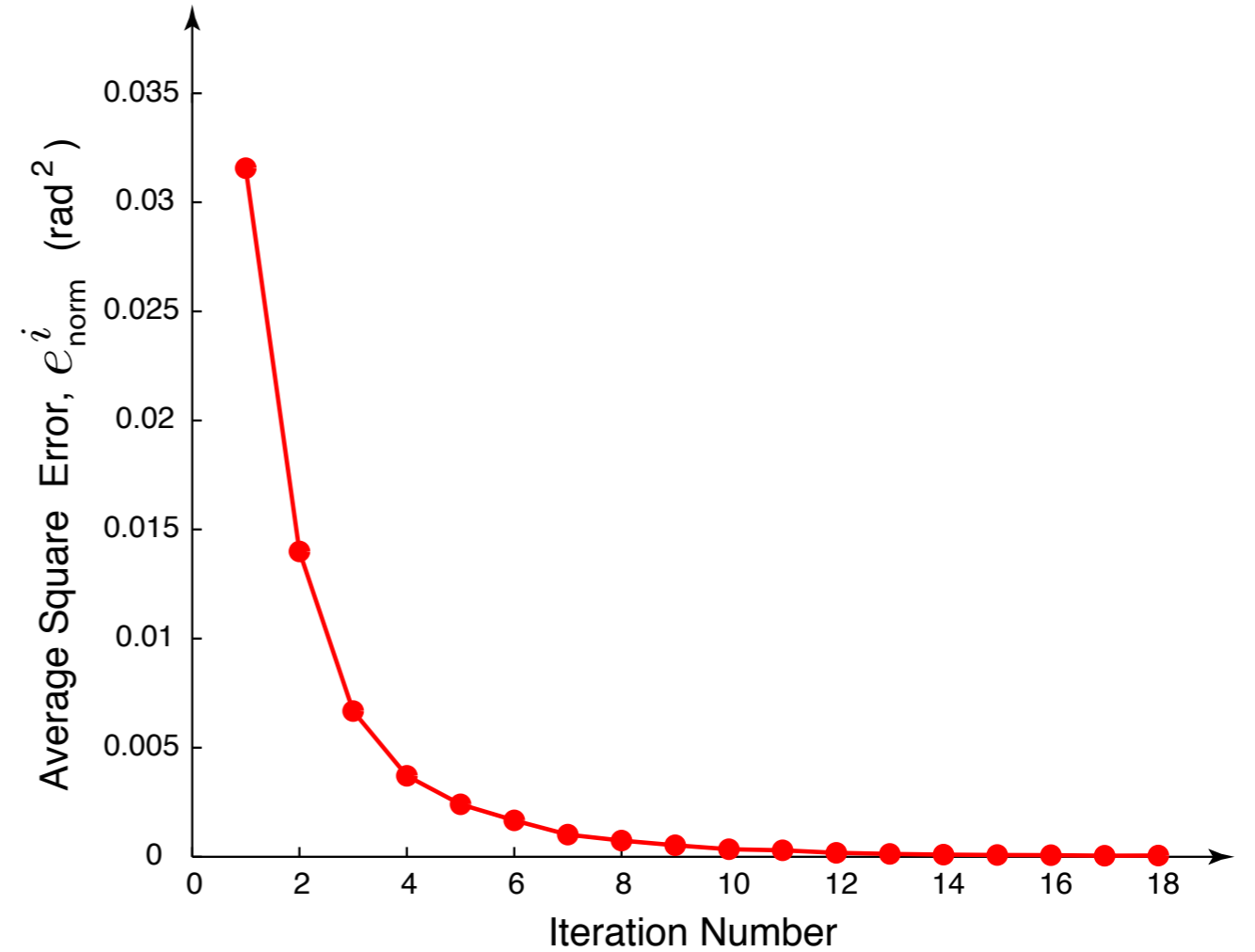
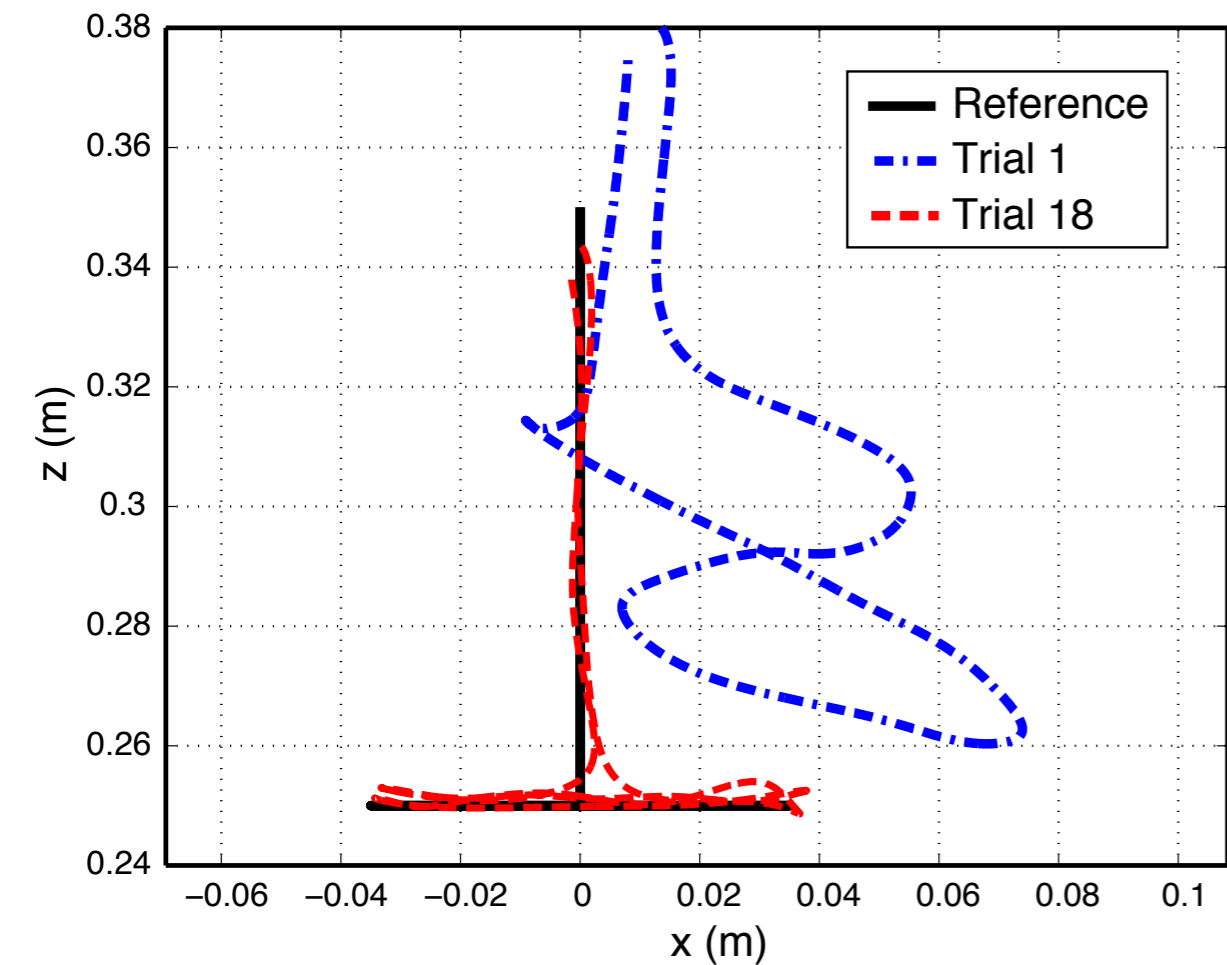
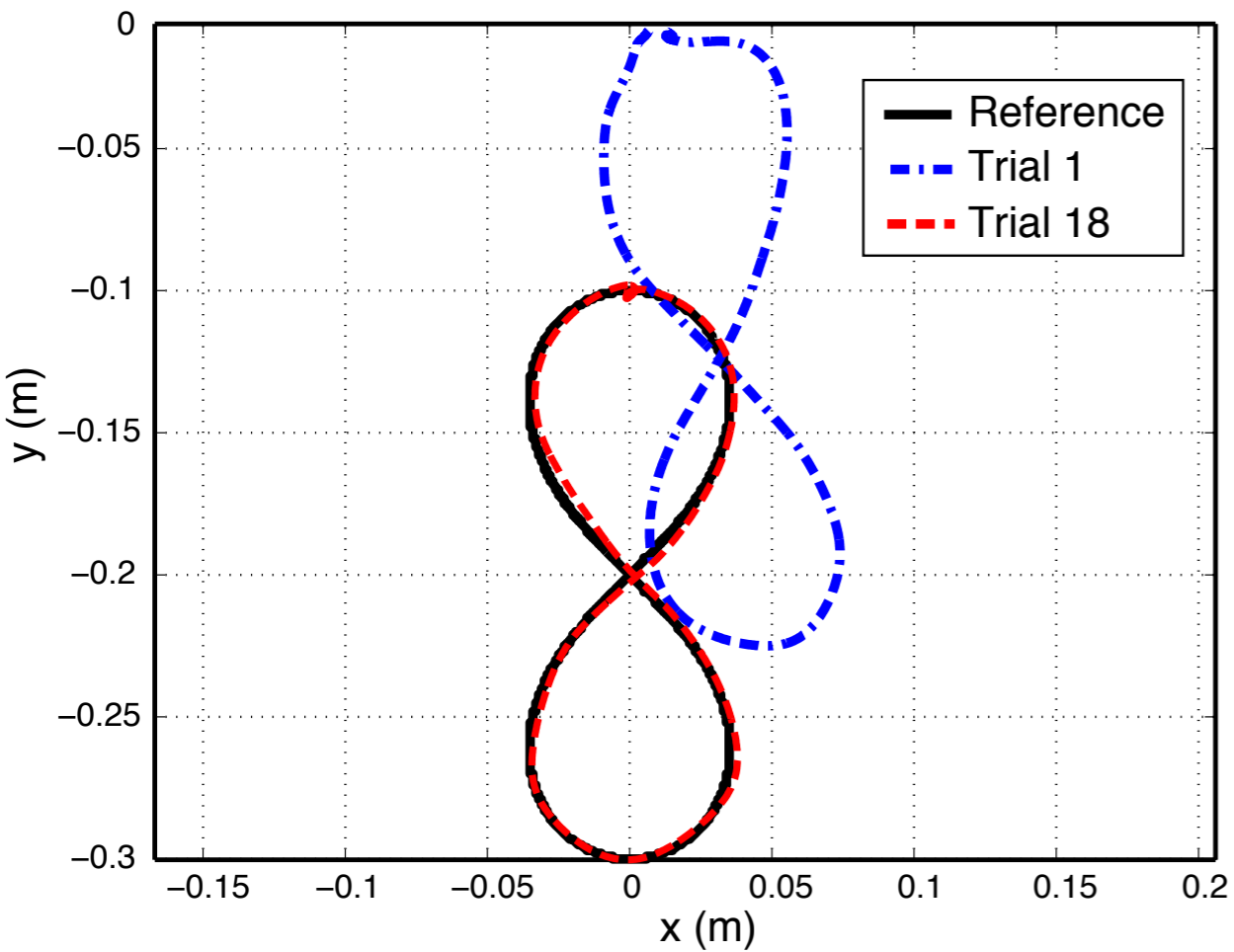
**Joint constraint:  
Satisfy joint limits**

# Inverse kinematics with Iterative Learning Control



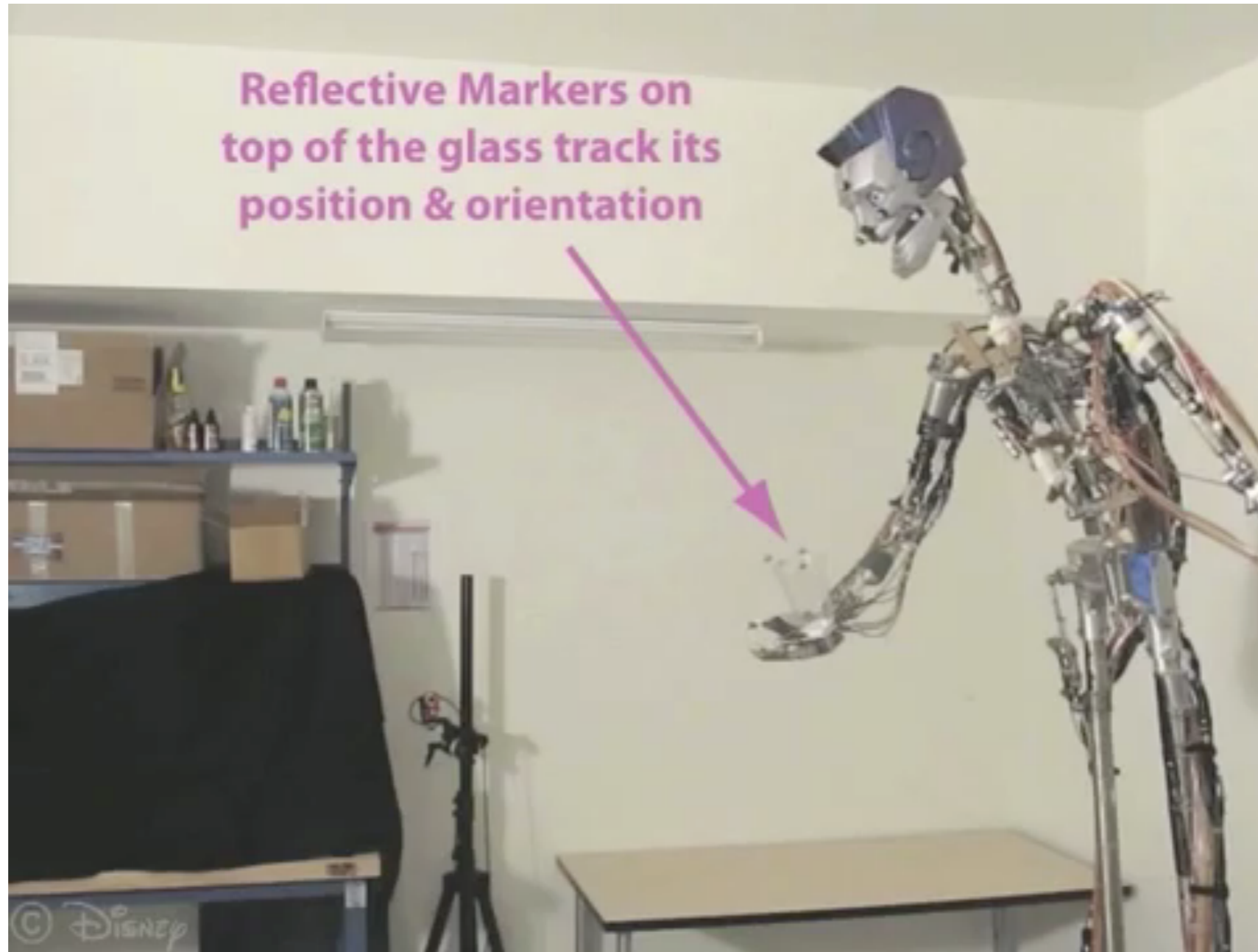
- Bhounsule & Yamane, Humanoids 2015

# Results for writing task



- Convergence: 18 trials
- Trial 1: Error  $\sim 1e-3$
- Trial 18: Error  $\sim 1e-5$

# Other tasks



- Bhounsule & Yamane, IJHR 2017

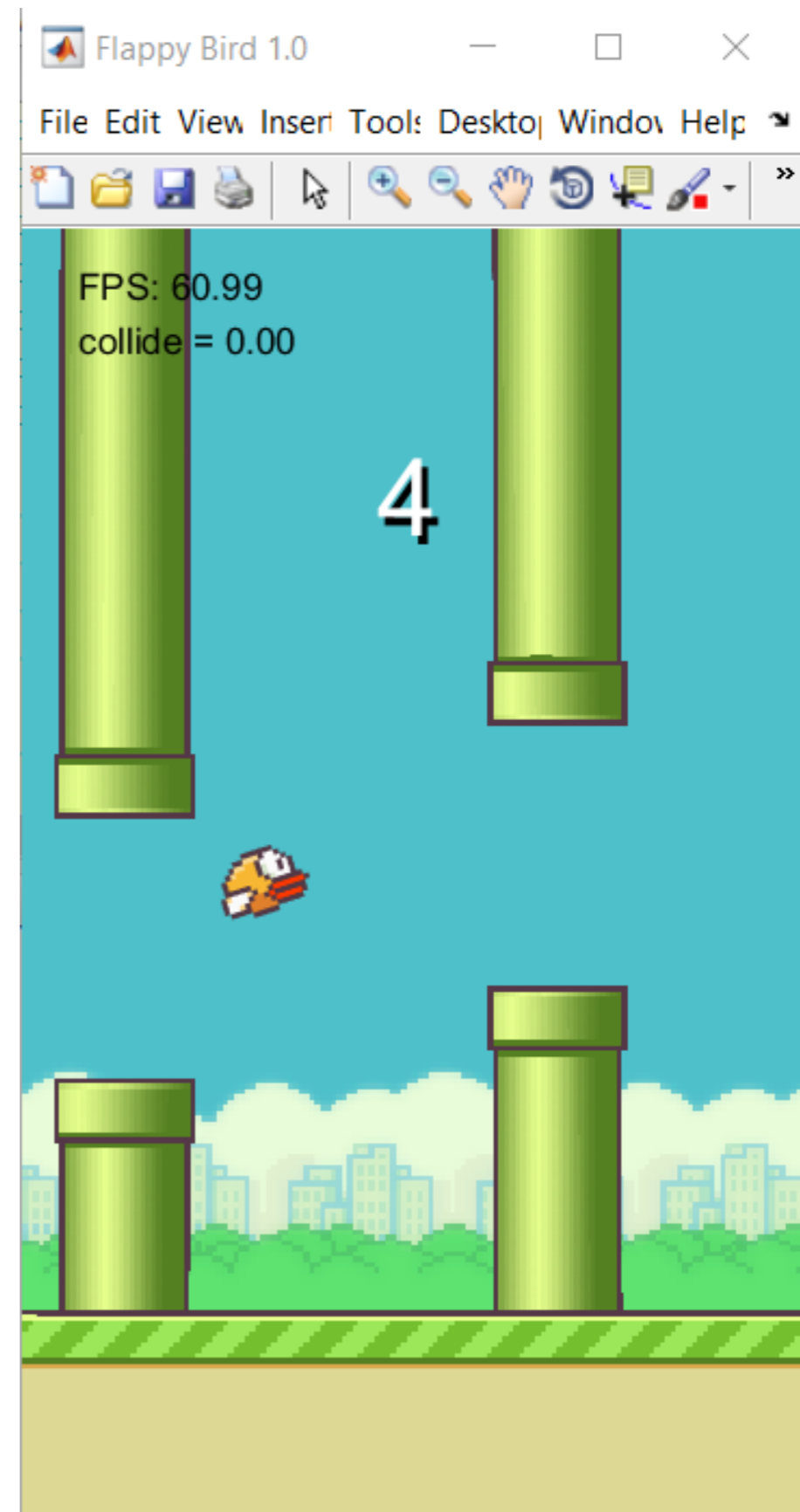
## (3) Video Games

# Flappy Bird Game (iPhone/android)

**Control:** Tap screen to navigate bird through pipes

**Scoring:** 1 point/pipe passed

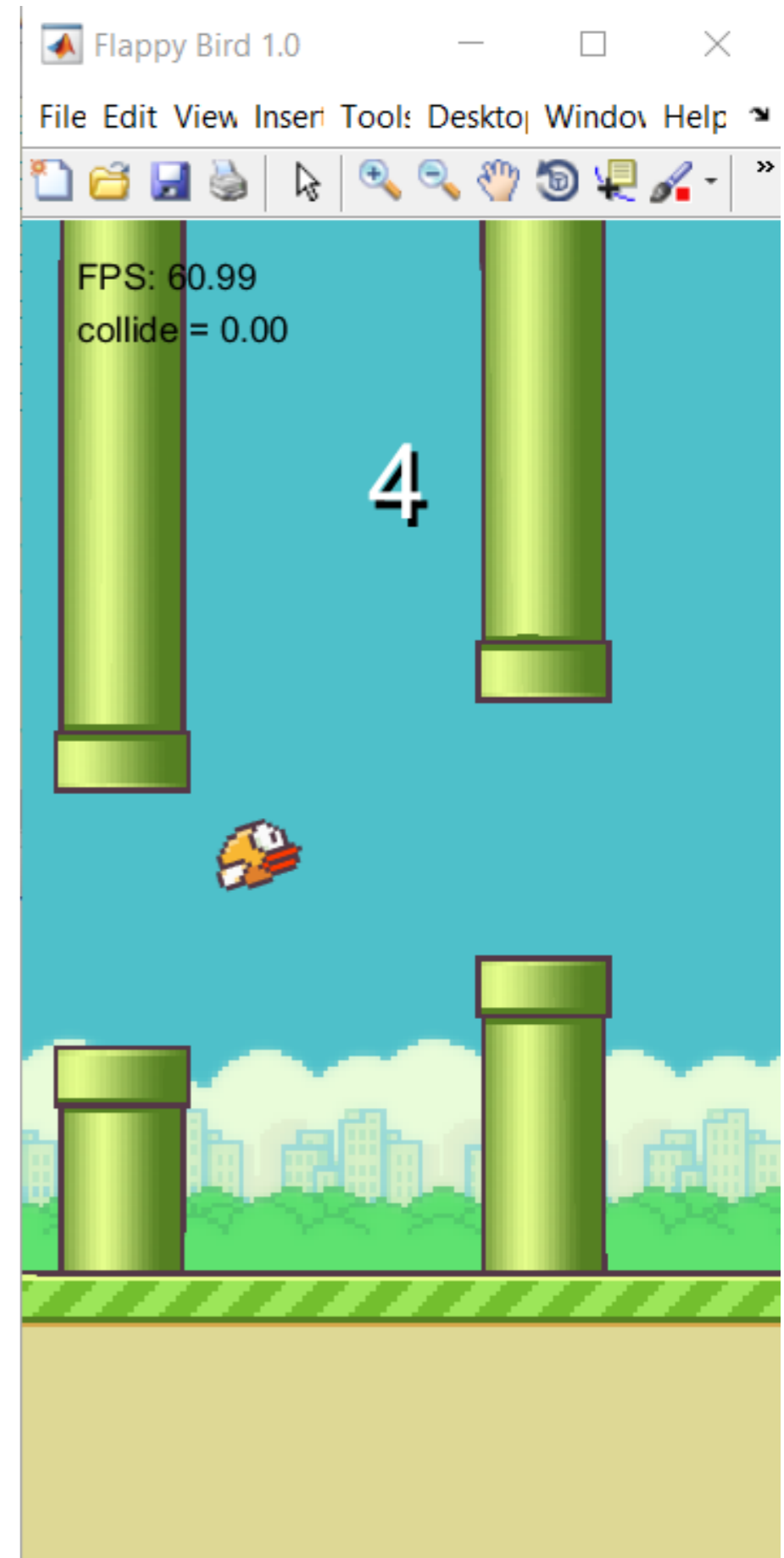
**Objective:** Maximize points.



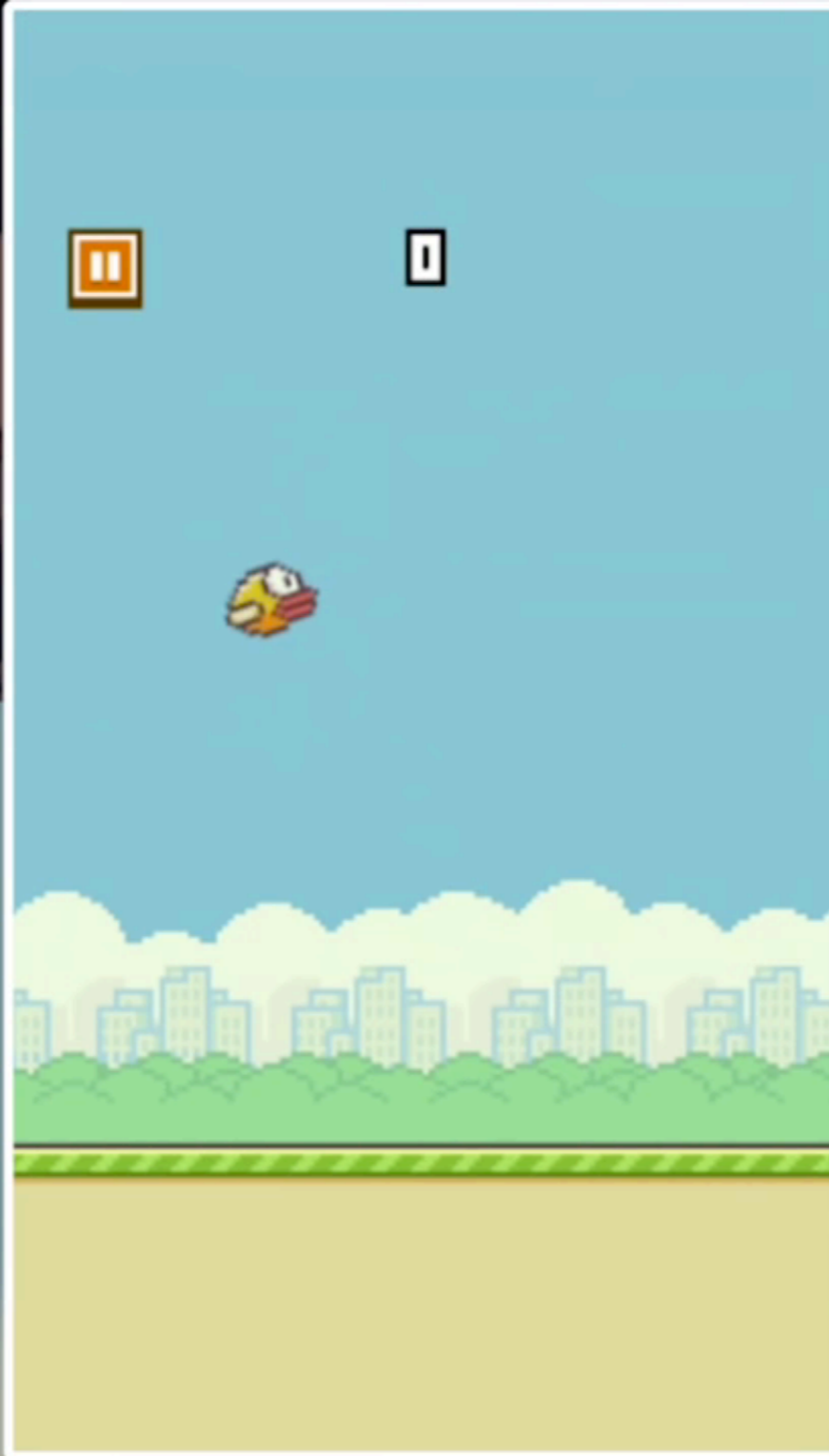
# Flappy Bird Game

## History:

- **May 2013:** Game released
- **Jan 2014:** Most downloaded game on iTunes, earning \$50,000/day (?)
- **Feb 2014:** Game removed from iTunes by developer citing its addictive nature



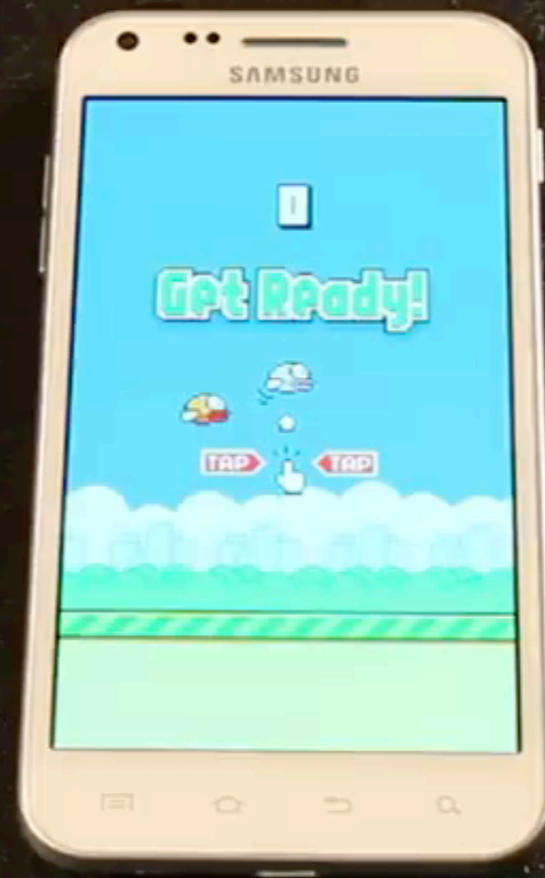
Flappy Bird, simple concept but difficult to achieve high score





# How to beat Flappy Bird

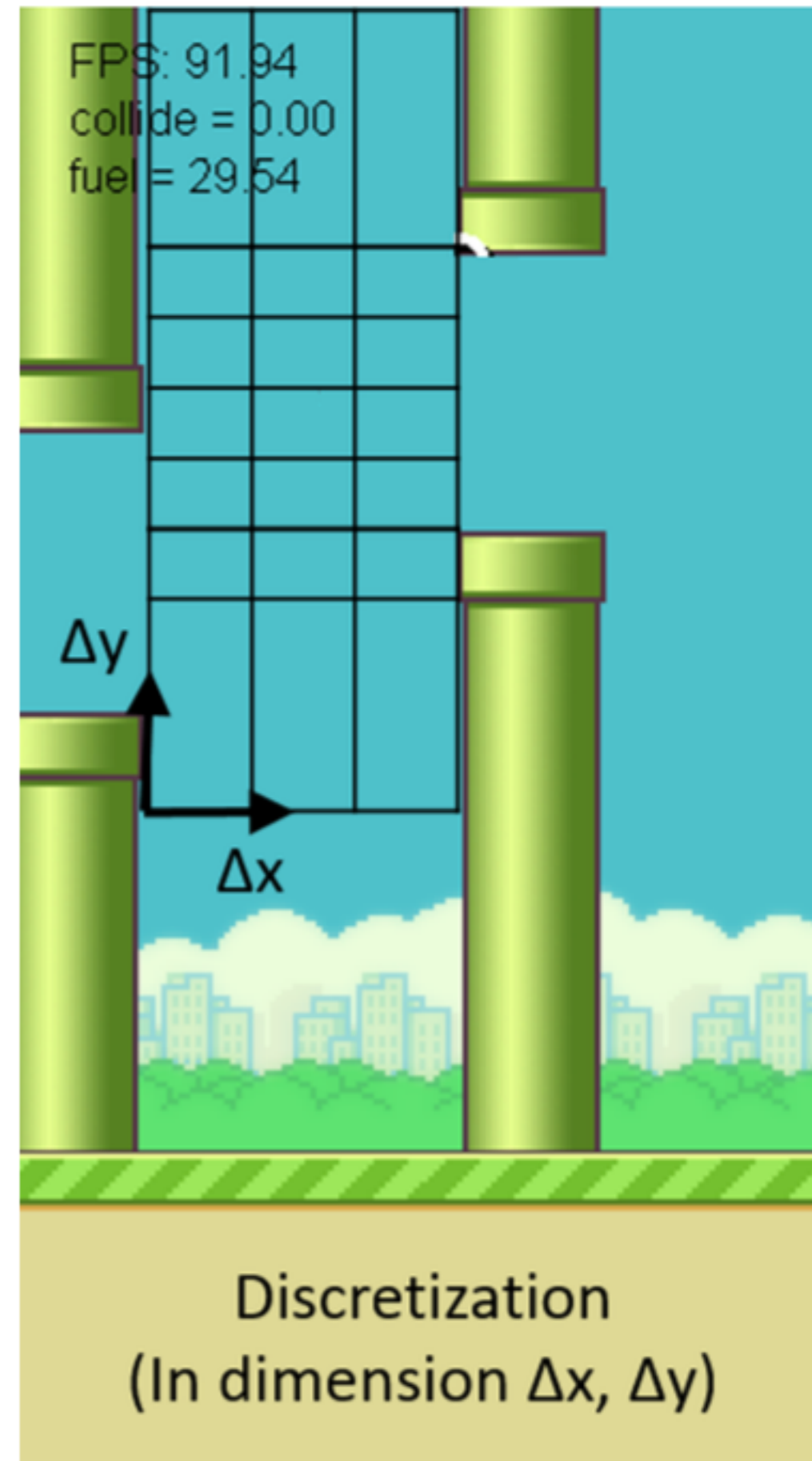
downloaded from a YouTuber



# Past work

## Machine Learning

- Reinforcement learning,
- Q-learning, and
- Support Vector Machines.
- Select features,
- Learn state-action pairs
- **Scores ~100-1500**





# Physics

$$Y_{k+1} = Y_k + V_k$$

$$V_{k+1} = \begin{cases} -2.5, & z_k = 1 \\ V_k + g, & z_k = 0. \end{cases}$$

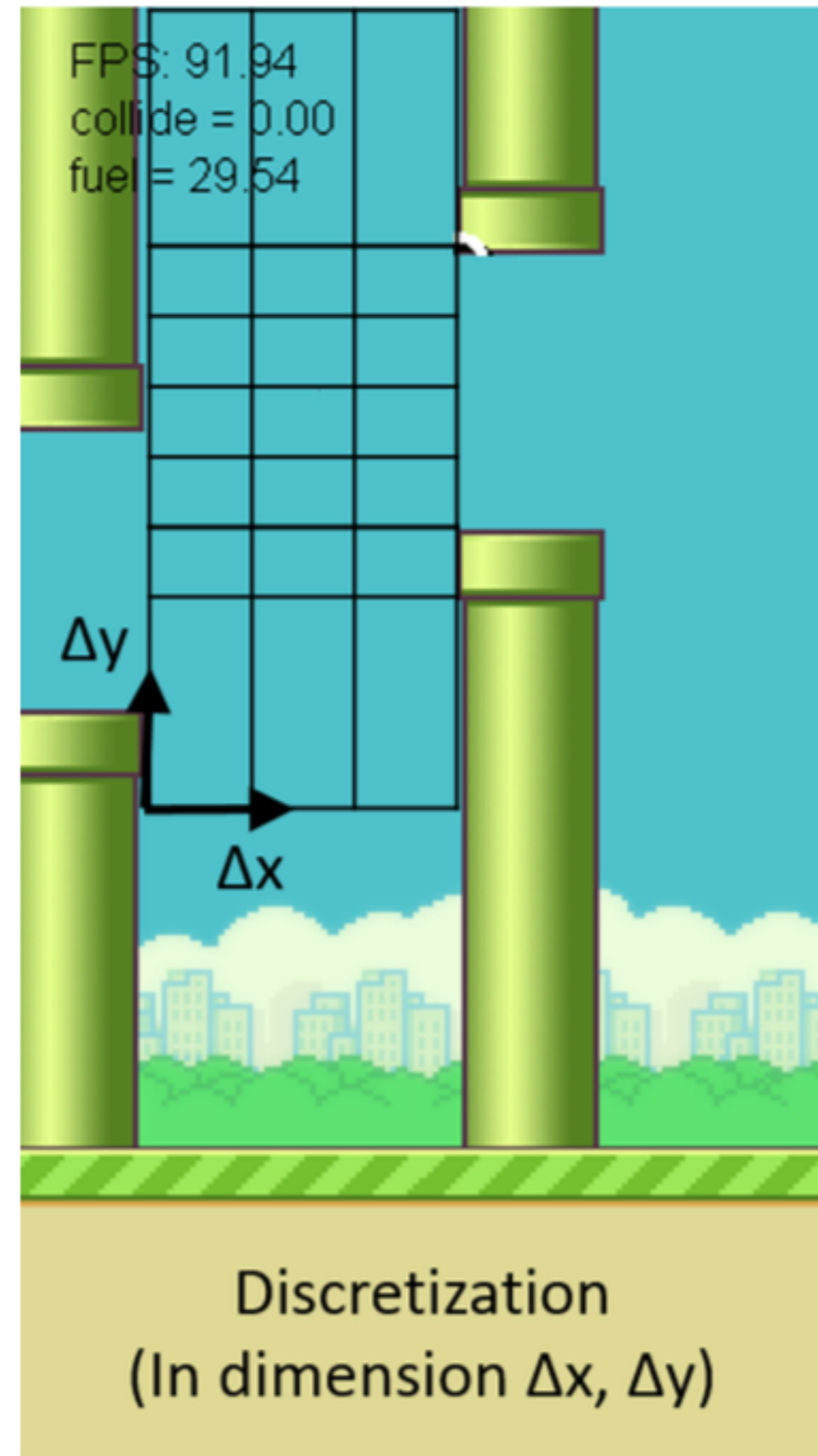
$Y$  - vertical height (up -)

$V$  - vertical velocity

$g$  - gravity (=0.1356)

$z$  - control (flap or not flap)

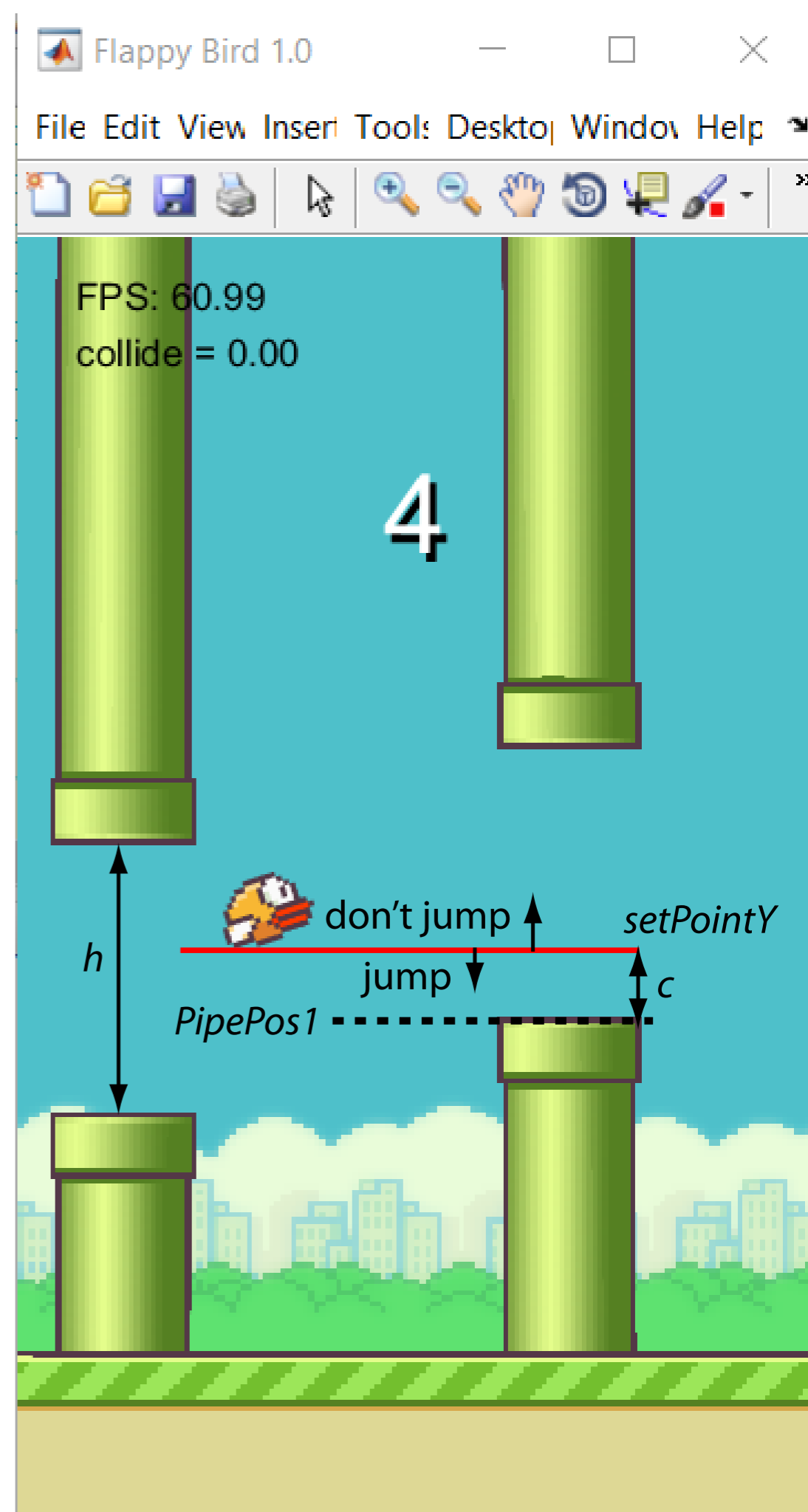
constant horizontal velocity



# #1: Heuristic controller & manual tuning

Set-point based control

Set-point is tuned.



# Results: Heuristic controller & manual tuning

Run no.	Score
1	23
2	135
3	135
4	40
5	41
6	29
7	105
8	19
9	30
10	9

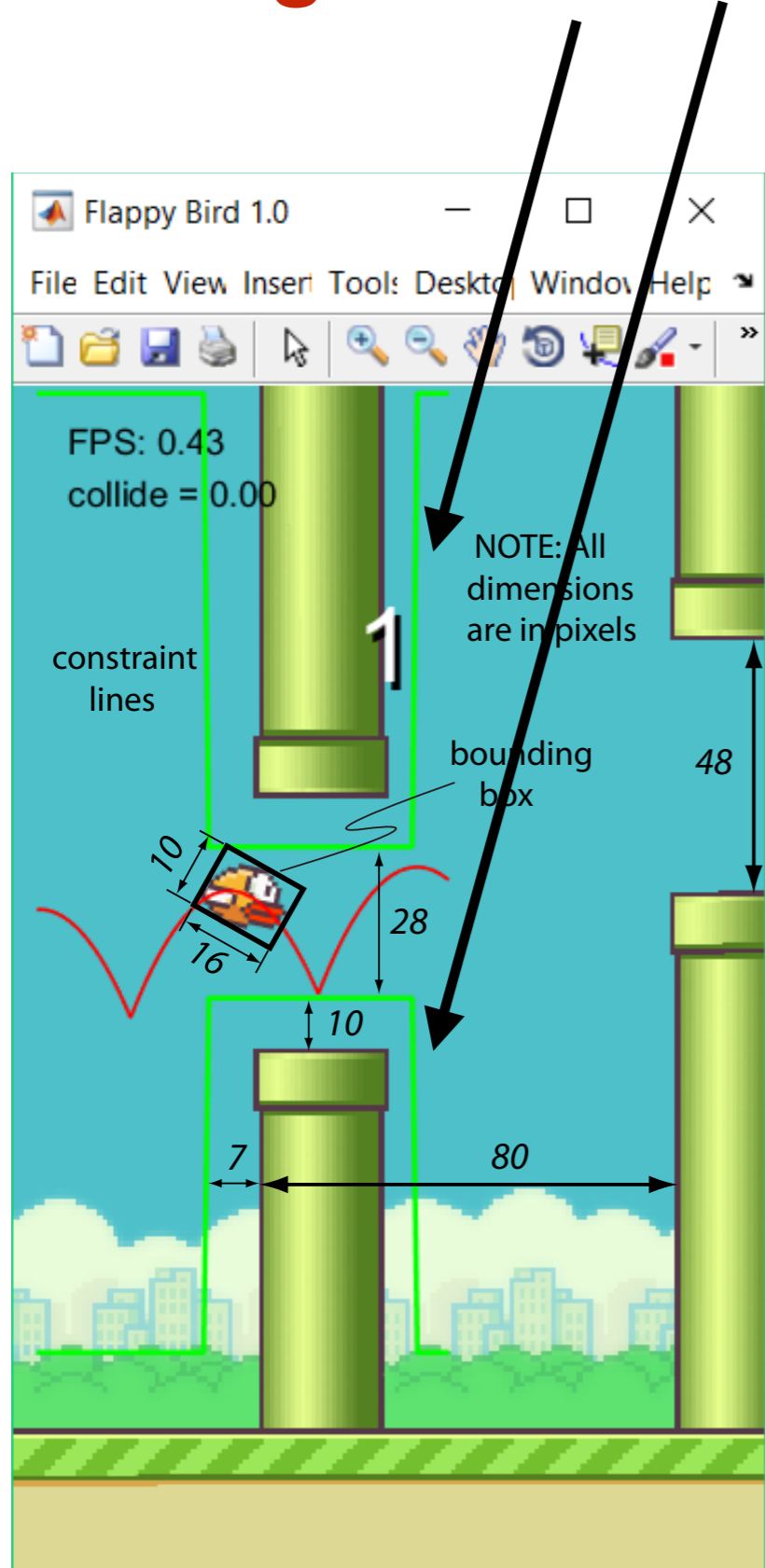
**Average score  
56.6/500**

# Results: Heuristic controller & manual tuning

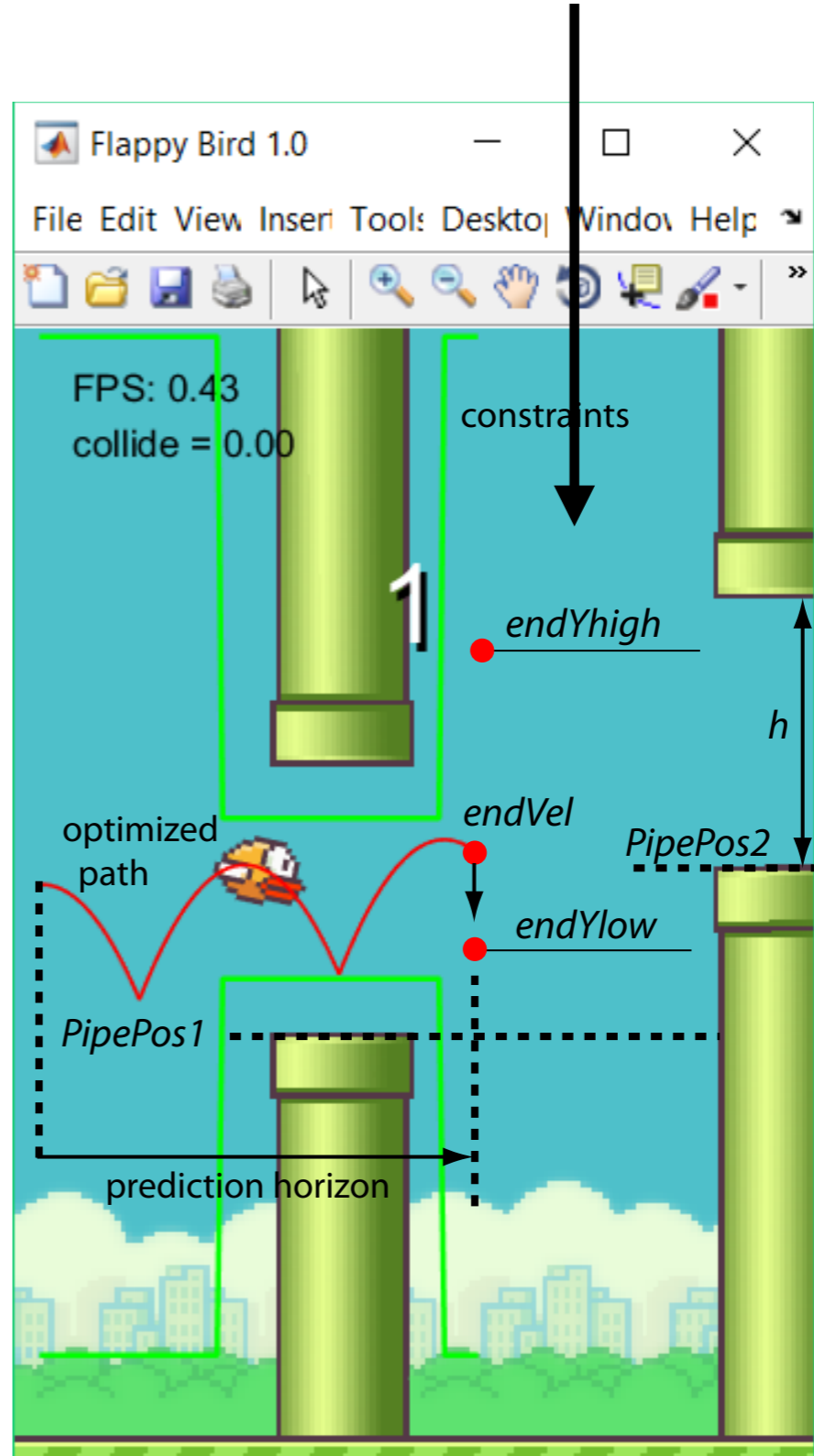
**Controller 1:**  
**Manually tuned controller**  
**Highest score 23**

# #2: Optimization with manually tuned constraints

## Bounding box constraints



## Terminal constraints



# #2: Optimization with manually tuned constraints

Minimize number of jumps

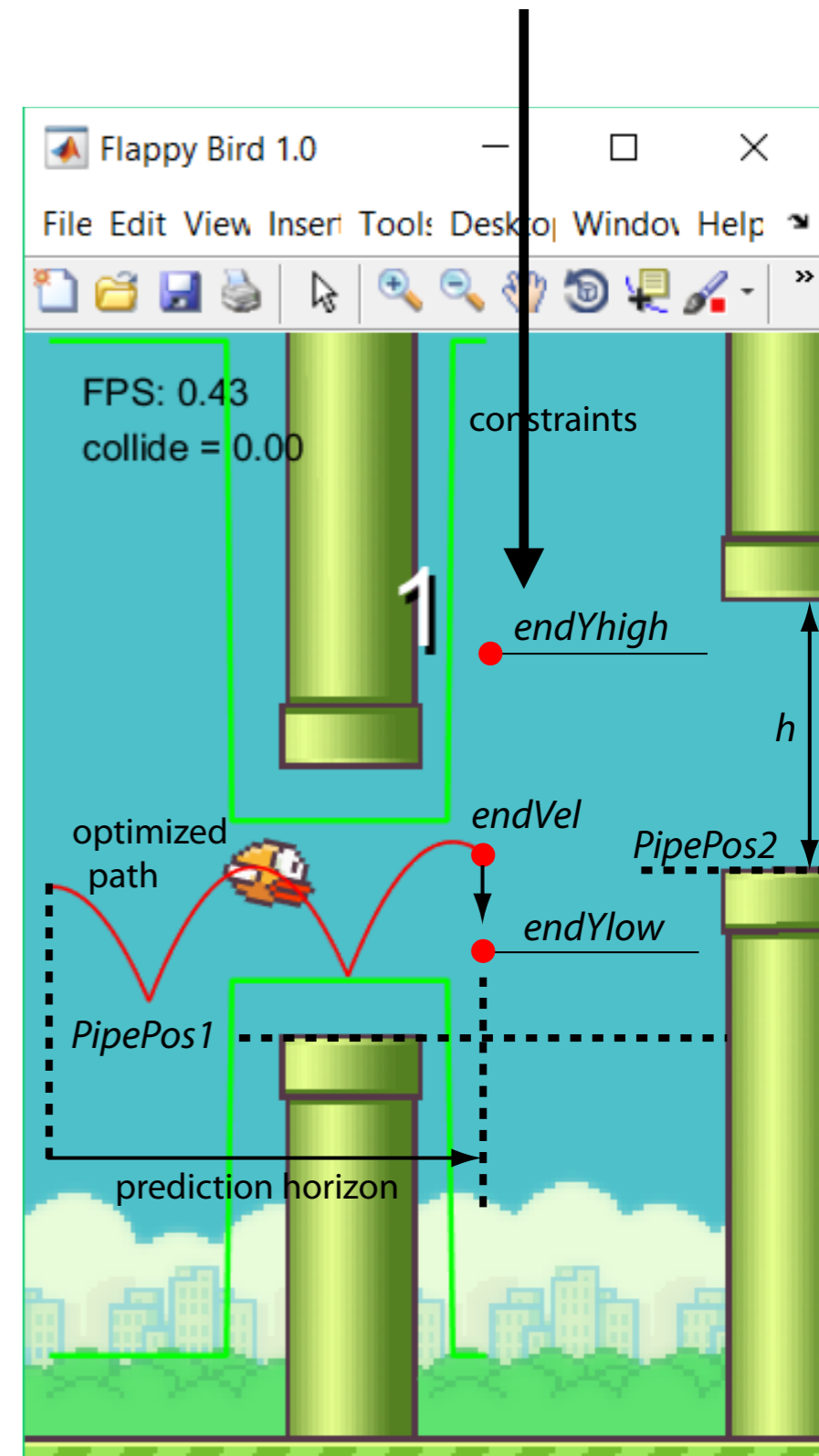
Input: Jump or not ( $z=0$  or  $1$  resp.) for horizontal distance bet. pipes.

Constraints:

- 1) Physics (big  $M$  method)
  - 2) Bounding box constraint (pipes)
  - 3) Terminal constraints (exit)
- [3 conditions parameters]

Mixed Integer Programming software  
Gurobi (intlinprog)

## Terminal constraints





# Results: Optimization-based control, optimization horizon fixed

Run no.	Score	Avg. opt. time	Max. opt. time
1	500	0.1165	0.78766
2	500	0.1143	0.6863
3	500	0.1086	0.8101
4	500	0.1024	0.5053
5	500	0.1059	0.6243
6	500	0.1040	0.5273
7	500	0.1073	1.2596
8	500	0.1001	0.5508
9	500	0.0999	0.4946
10	500	0.1026	0.5173

**Perfect score  
500/500**

Results: Optimization-based control,  
optimization horizon fixed

**Controller 2:**

**Optimization-based controller  
with heuristic constraint tuning**

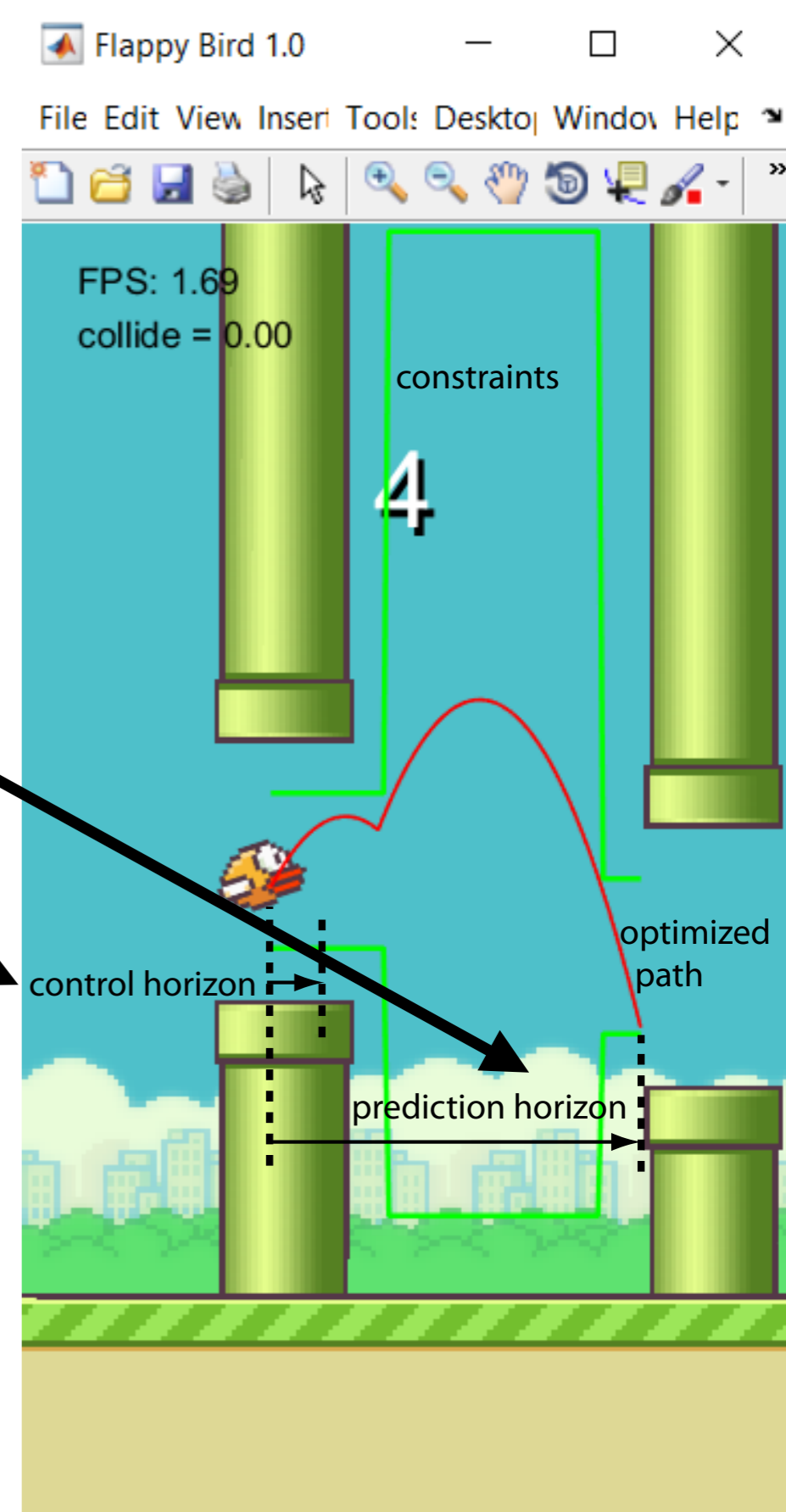
**Highest Score 6473**

# #3: Model Predictive Control

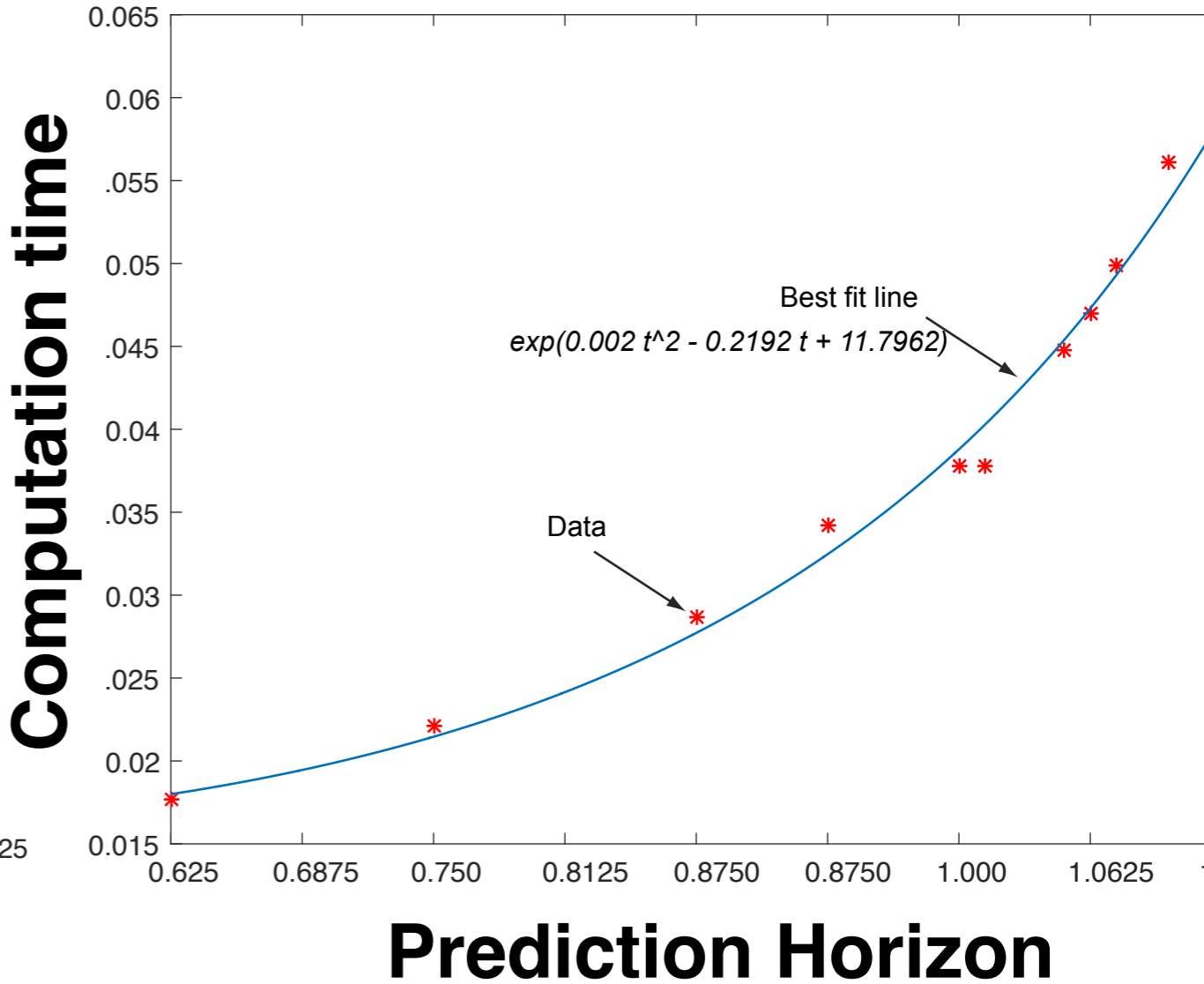
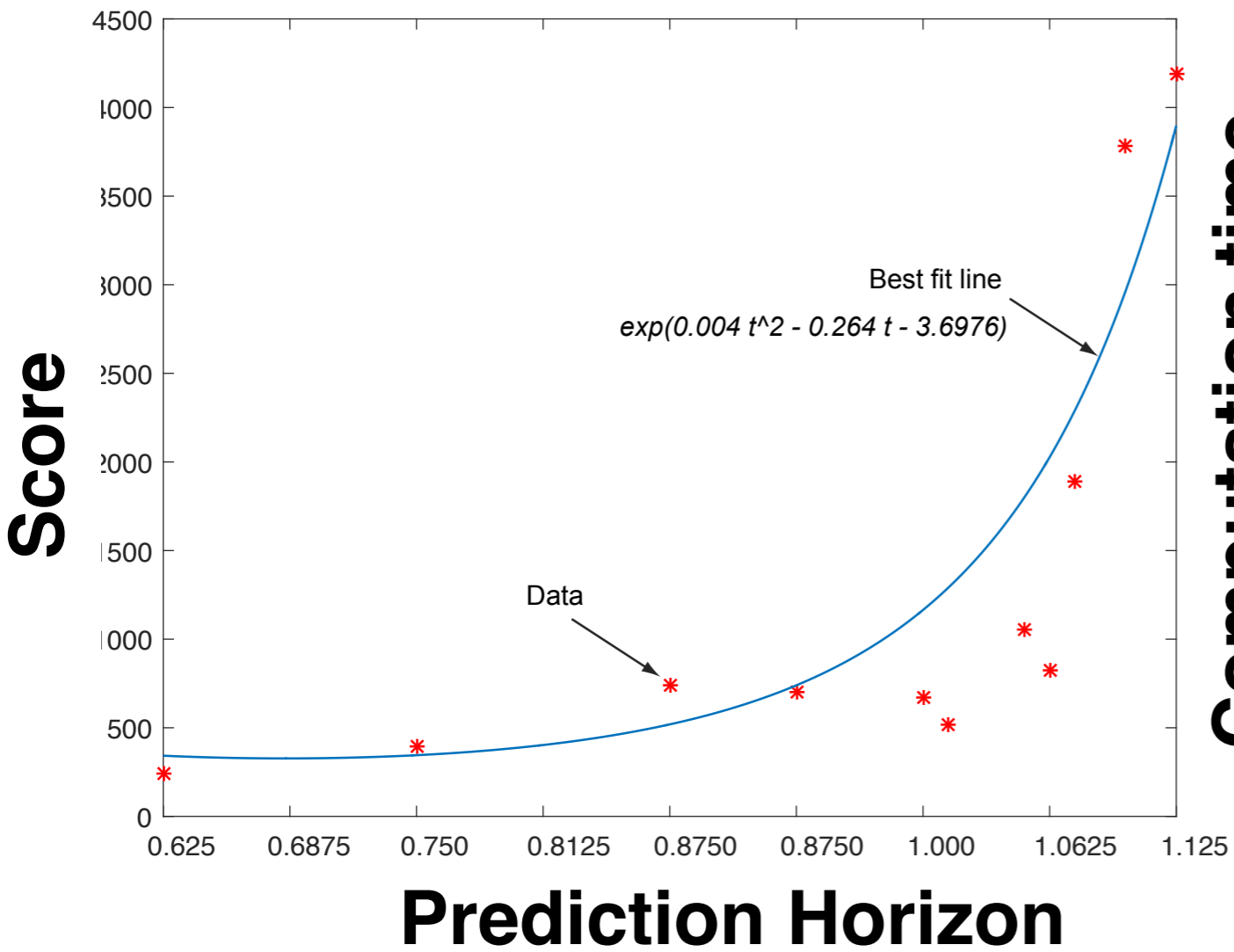
Same as #2 but with **TWO** differences:

- 1) no terminal constraint
- 2) prediction horizon ( $n$ ),  
control horizon is 1 step.

[ $n$  is the only free parameter]



# Results: Model Predictive Controller



# Results: Model Predictive Controller (with optimum prediction horizon of 90)

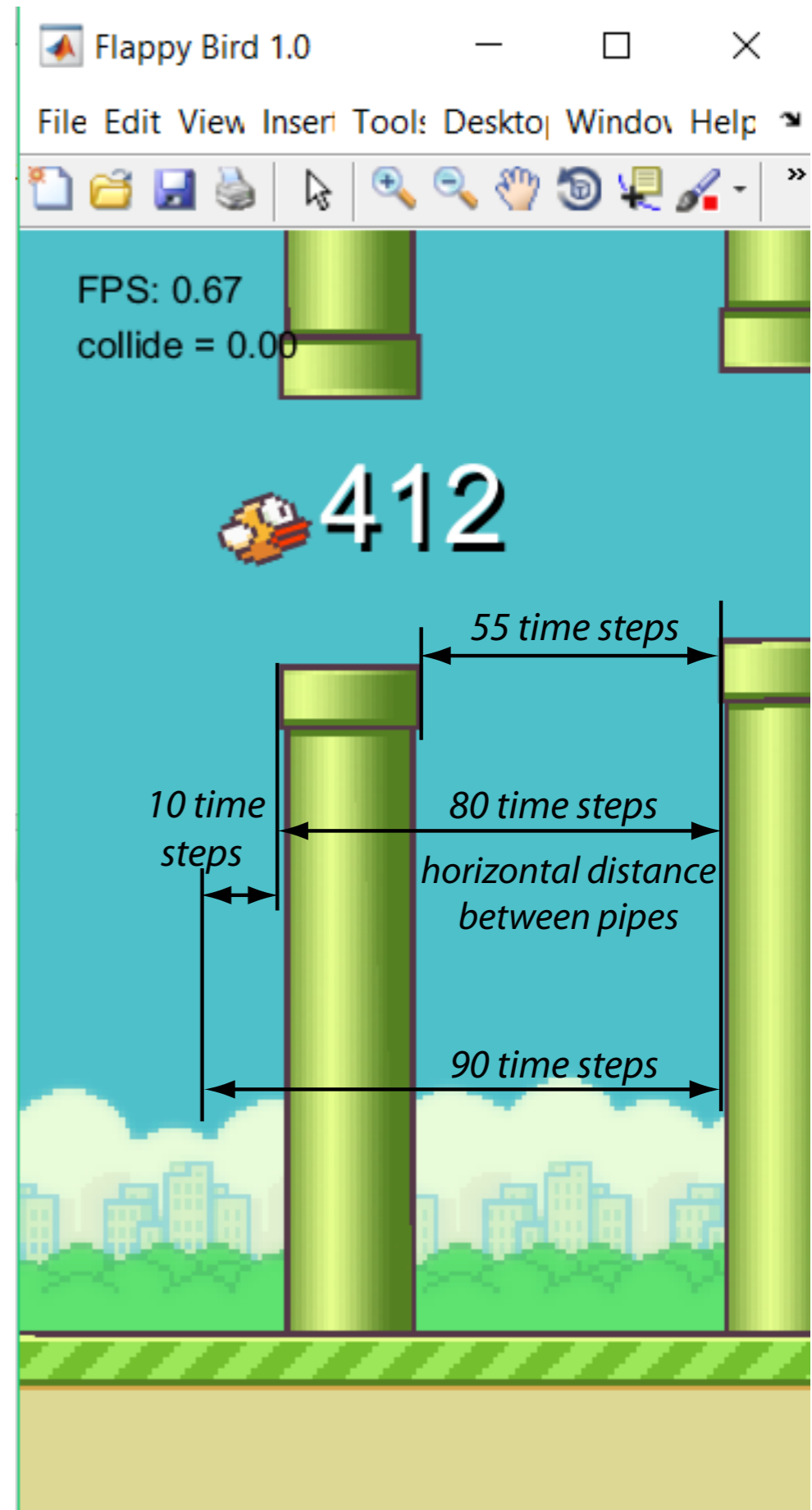
Run no.	Score	Avg. opt. time	Max. opt time
1	500	0.0671	3.591
2	500	0.0641	3.059
3	500	0.0640	2.8842
4	500	0.0596	2.9635
5	80	0.0550	0.9668
6	500	0.0613	2.9596
7	500	0.0573	3.0536
8	500	0.0680	3.8055
9	500	0.0567	1.9173
10	106	0.0616	1.7036

**Average score  
419/500**

# Results: Model Predictive Controller

Optimal prediction window is 90  
~1.125 horizontal distance between pipes

**Key message: Need to plan slightly  
beyond the next pipe**



# Results: Model Predictive Controller

**Controller 3:**  
**Model Predictive Controller**  
**Highest Score 3961**

# Discussion

	<b>Heuristic controller</b>	<b>Optimization</b>	<b>MPC</b>
<b>Score (10 runs, max 500 pipes)</b>	<b>56.6</b>	<b>500</b>	<b>419</b>
<b>Worst case time (sec)</b>	<b>~0</b>	<b>1.3</b>	<b>3.9</b>
<b>Tuning</b>	<b>Trial and error tuning</b>	<b>Trial and error tuning</b>	<b>Can be automated</b>



# Conclusion

- Position and speed on exiting the pipe seems to be key factors for good performance
- Optimization/MPC are too slow for real time implementation
- MPC best compromise between scores and need for intuitive tuning